

تحلیل و طراحی سکوه‌های فراساحلی

ویدئو شماره ۱: (بخشهایی از بارگذاری با SAP2000)

ویدئو شماره ۲: (تشریح و تفسیر نتایج تحلیل SAP2000)

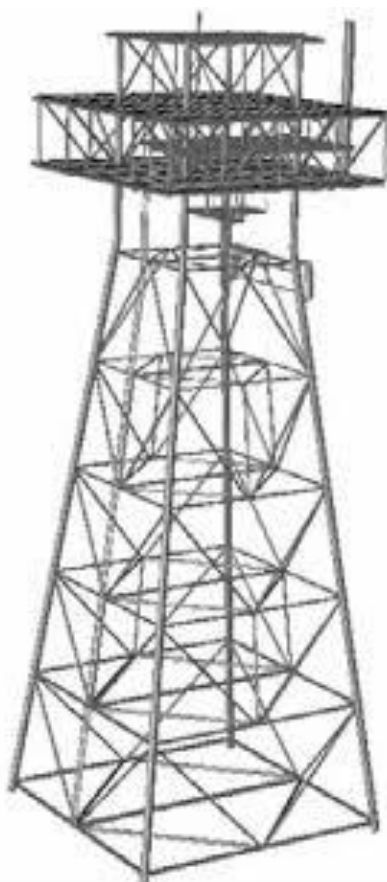
ویدئو شماره ۳: (طراحی و خروجی SAP2000)

دانشگاه صنعتی شریف

تابش پور

dastnameh.ir

سایت و تلگرام



توجه به تعدد نکات مربوط به

مدلسازی،

بارگذاری،

تحلیل و

طراحی

در سکوه‌های دریایی (شاید حدود ۳۰۰ نکته)

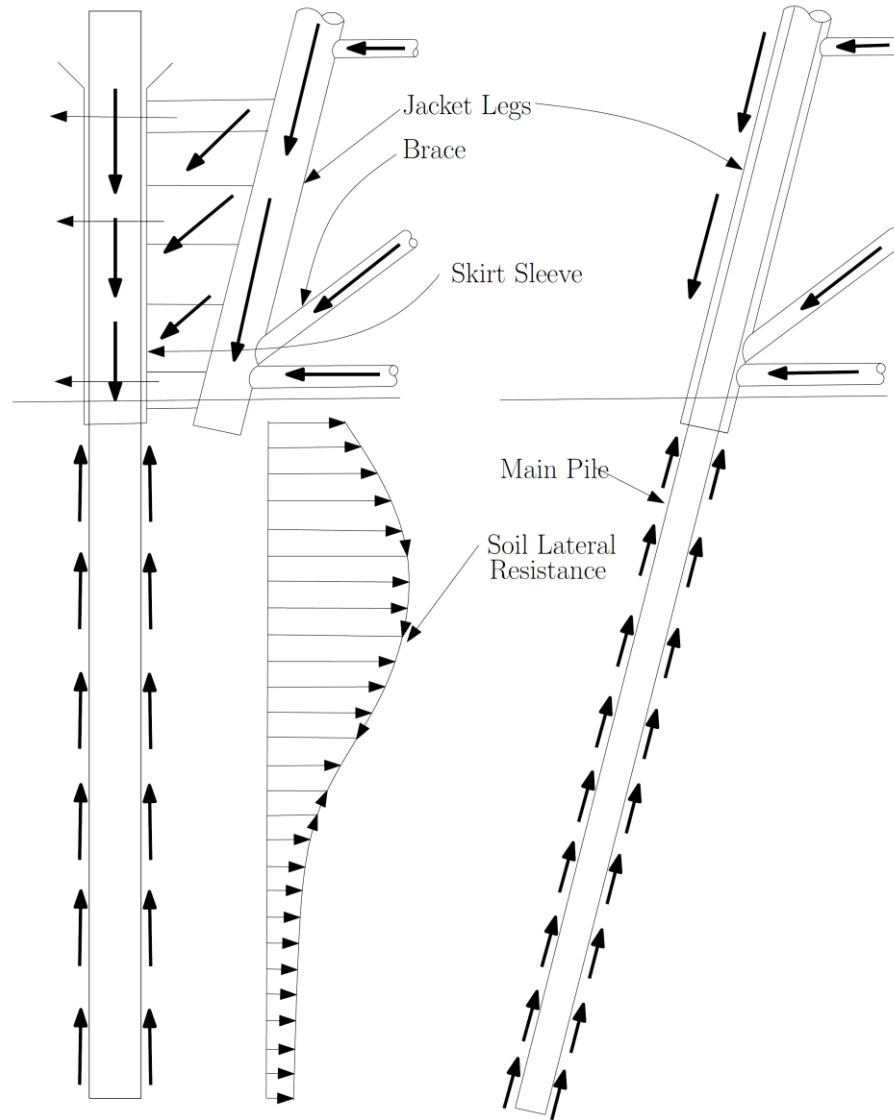


Figure 5.8: Pile Simulation for an Offshore jacket

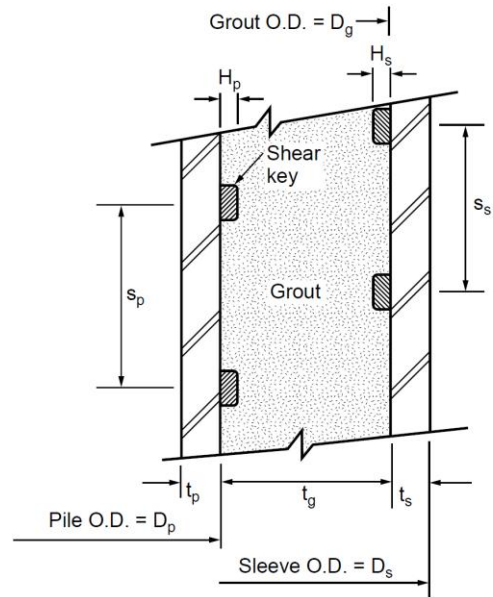


Figure 7.4.4-1—Grouted Pile to Structure Connection with Shear Keys

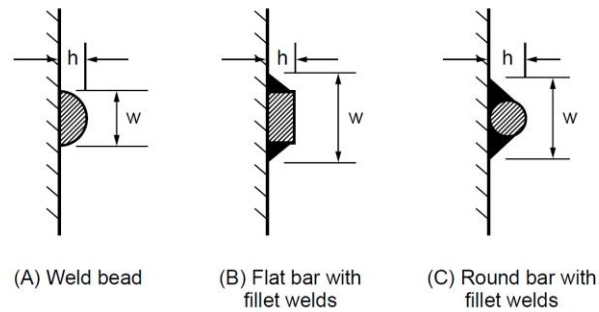
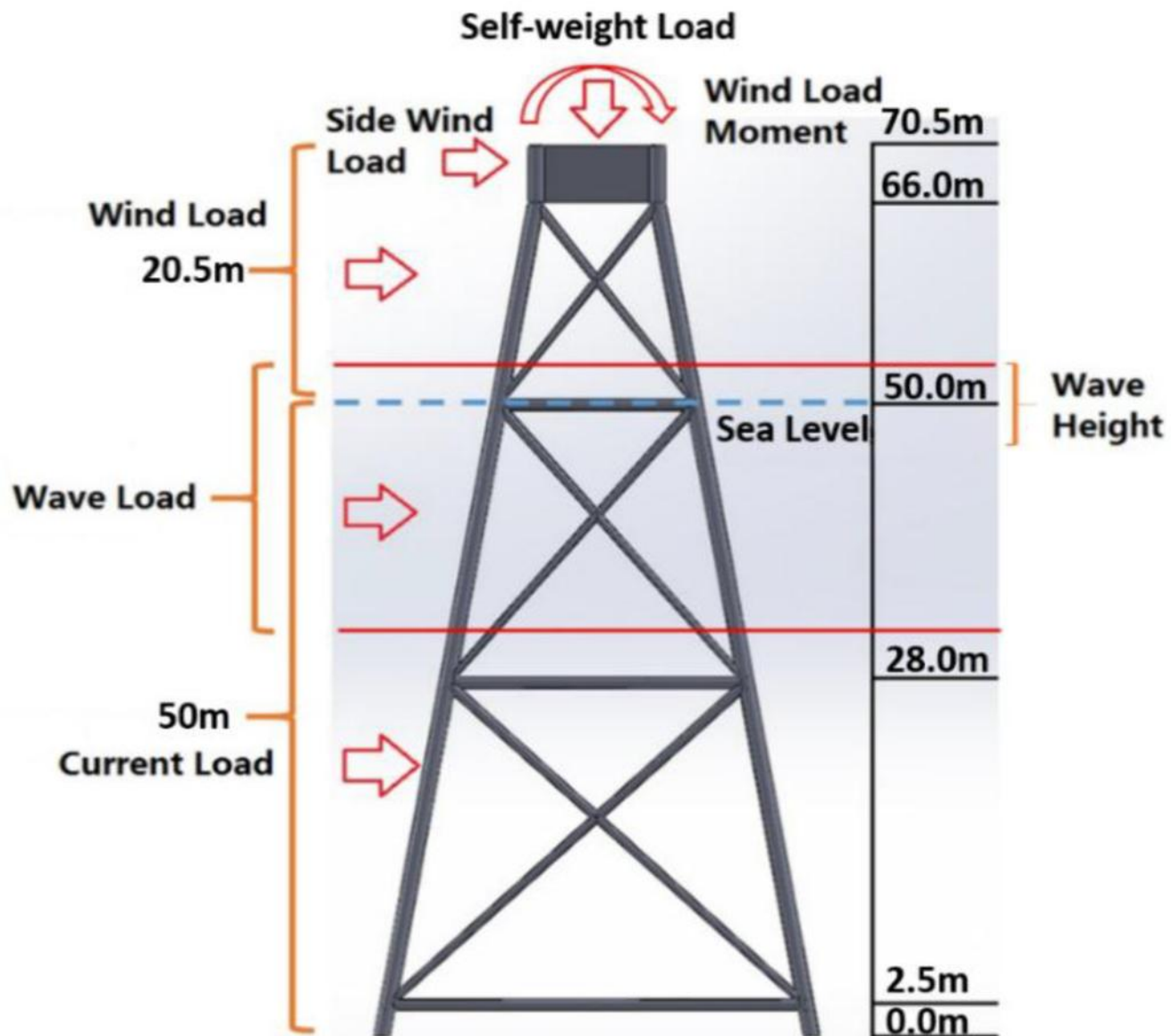


Figure 7.4.4-2—Recommended Shear Key Details



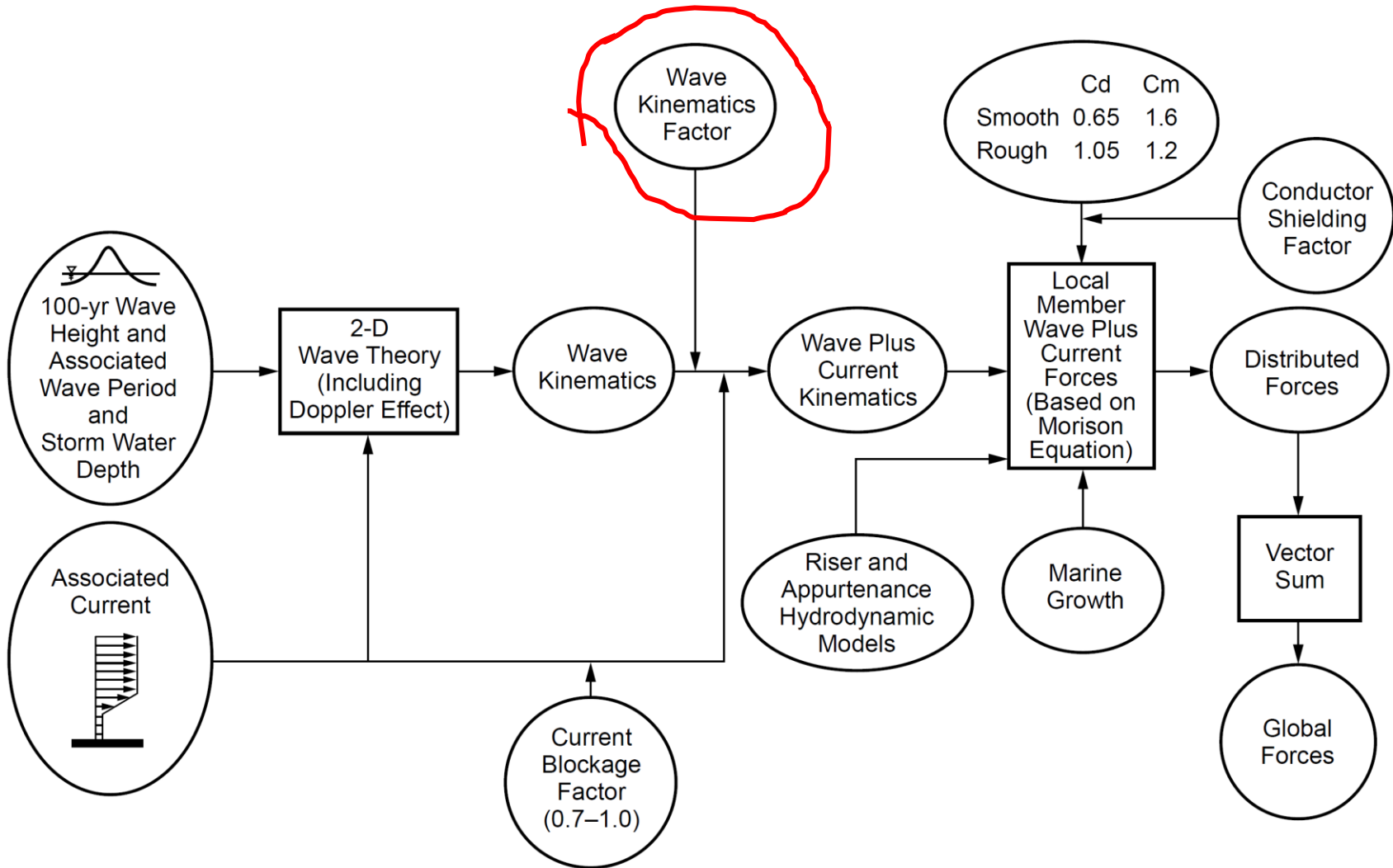


Figure 2.3.1-1—Procedure for Calculation of Wave Plus Current Forces for Static Analysis

The image shows the SAP2000 v18.0.1 Ultimate software interface. The main window displays a 3-D View of a structure. Overlaid on this are two dialog boxes: 'Wave Load Pattern' and 'Wave Characteristics'.

The 'Wave Load Pattern' dialog box has the following fields:

- Wave Characteristics: WCHR1
- Current Profile: None

The 'Wave Characteristics' dialog box (Edit mode) has the following fields:

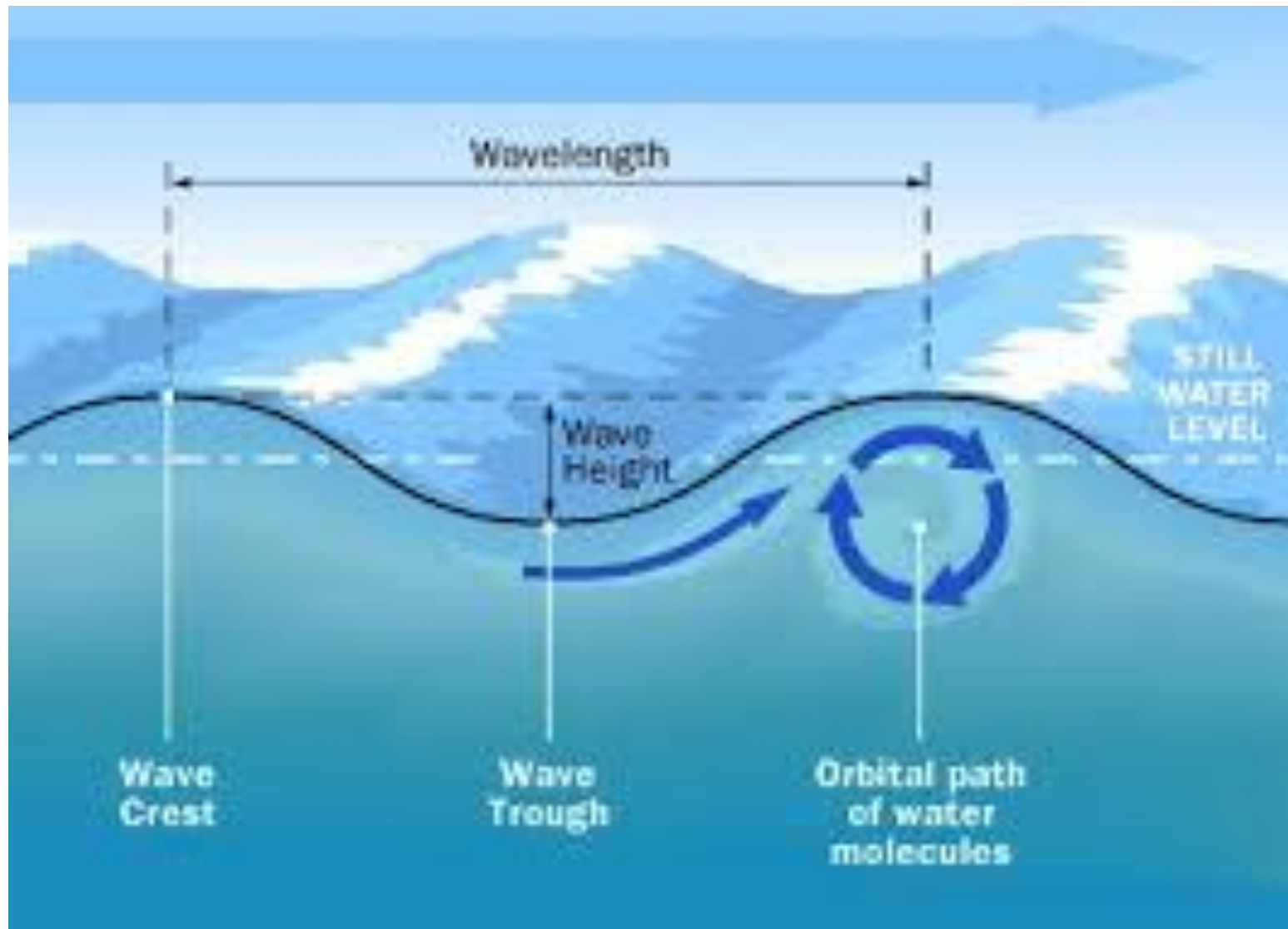
- Wave Characteristic Name: WCHR1
- Wave Factors:
 - Wave Kinematics Factor: 1. (highlighted with a red circle)
 - Storm Water Depth: 55.
- Wave Type:
 - From Selected Wave Theory
 - User Defined
- Wave Data:
 - Wave Height: 10.
 - Wave Period: 10
- Wave Theory:
 - Airy Wave Theory (Linear)
 - Stokes Wave Theory (Order:)
 - Cnoidal Wave Theory (Order:)

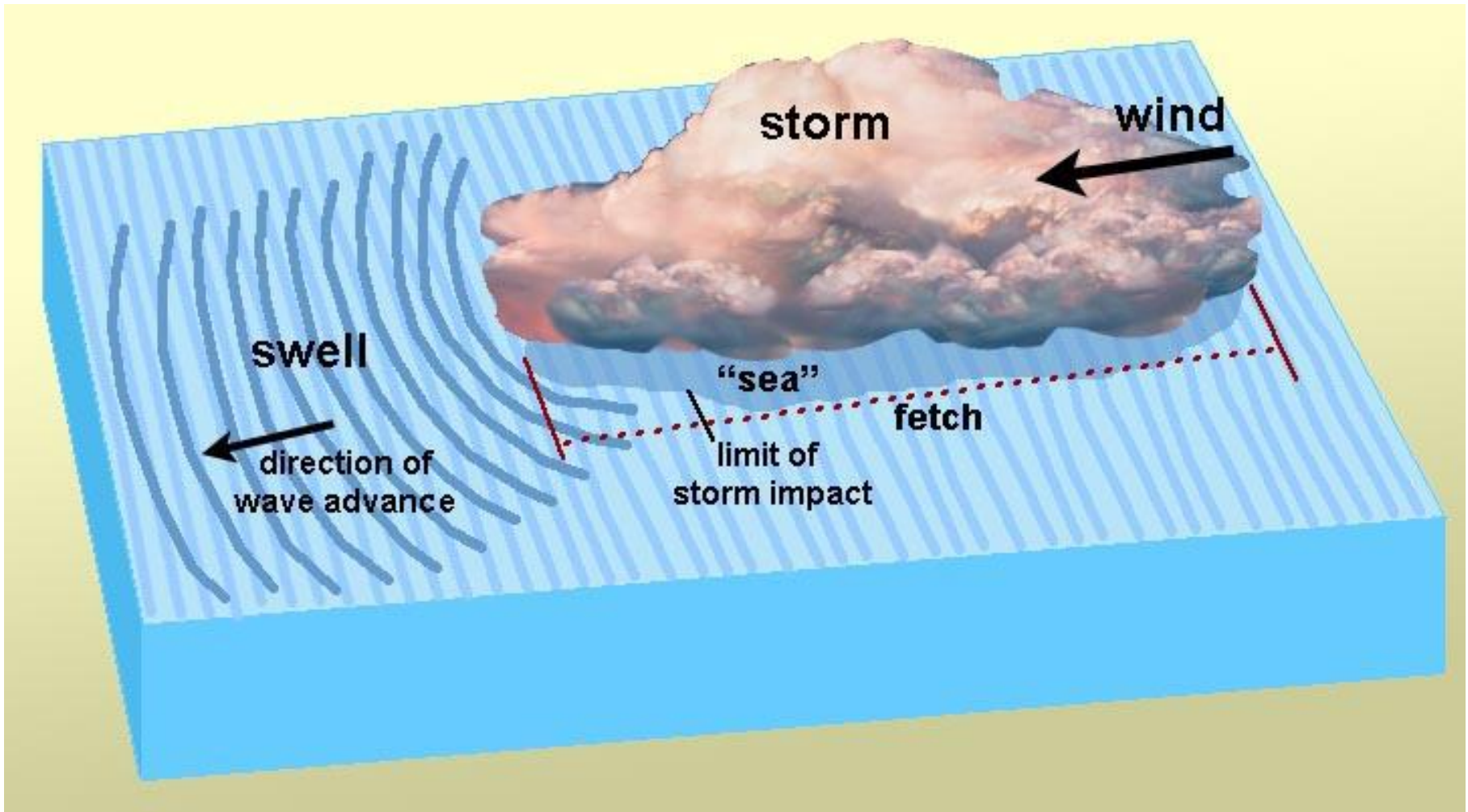
Buttons for 'OK', 'Cancel', 'Show Wave Table', and 'Show Wave Plot' are visible at the bottom of the dialog boxes.





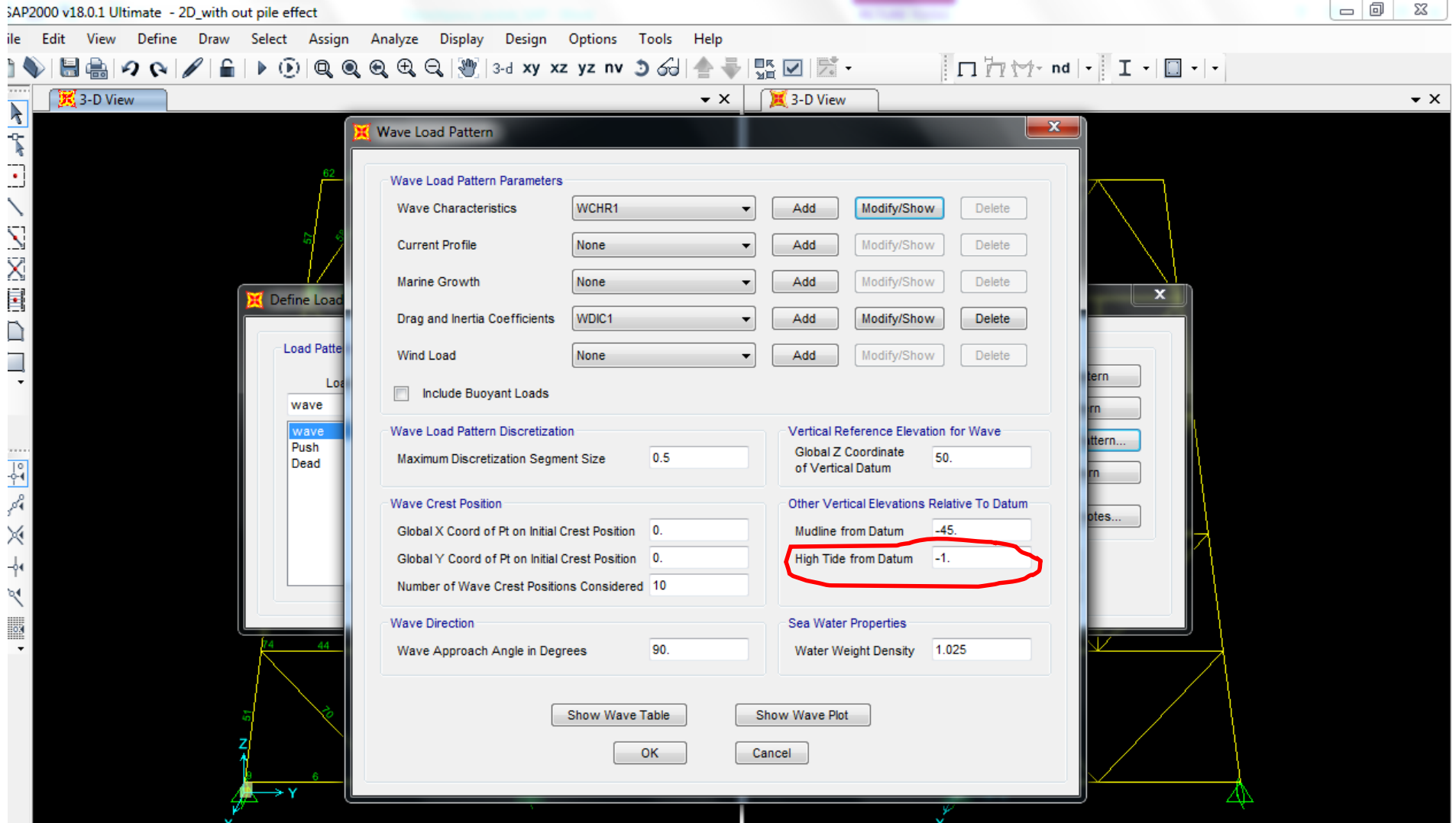








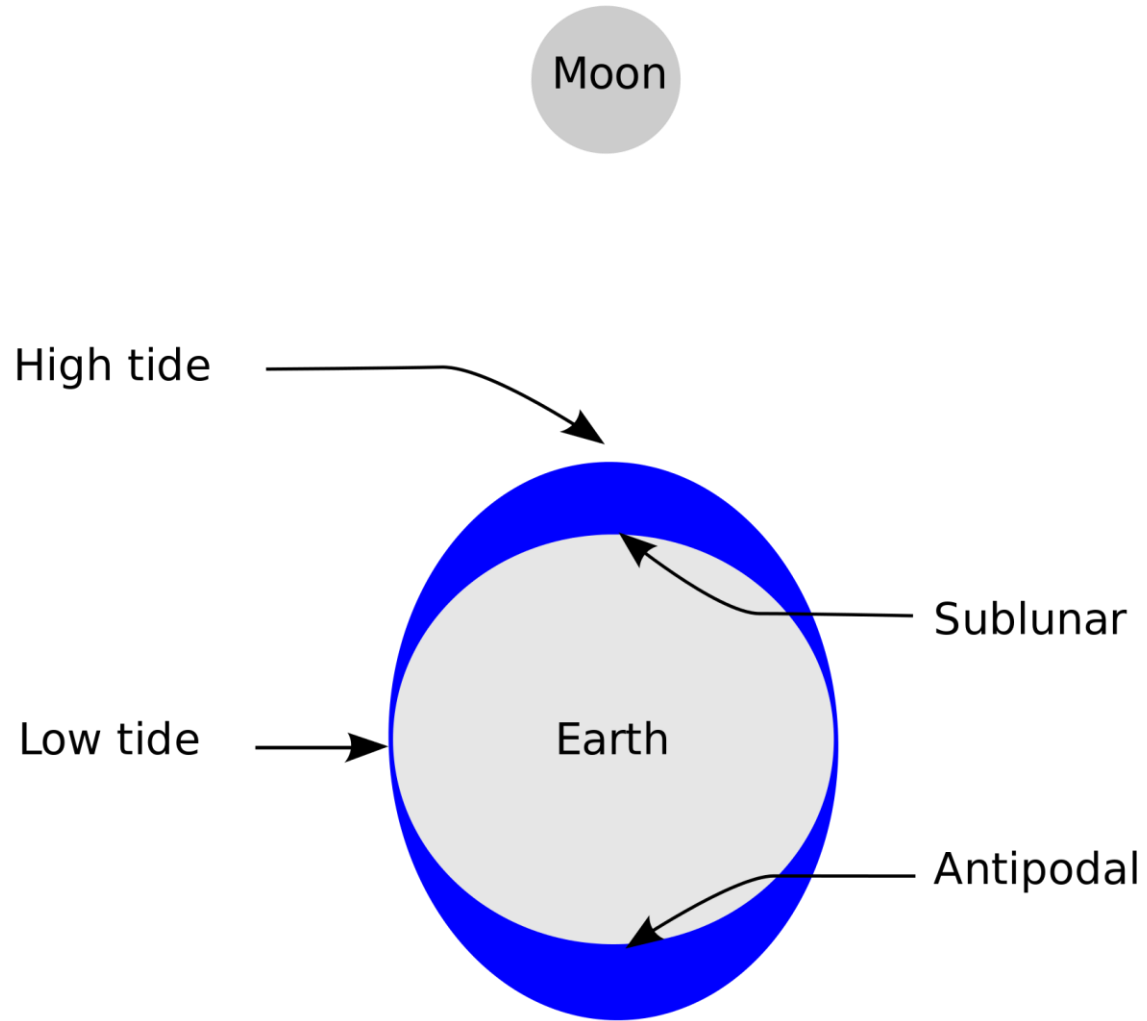


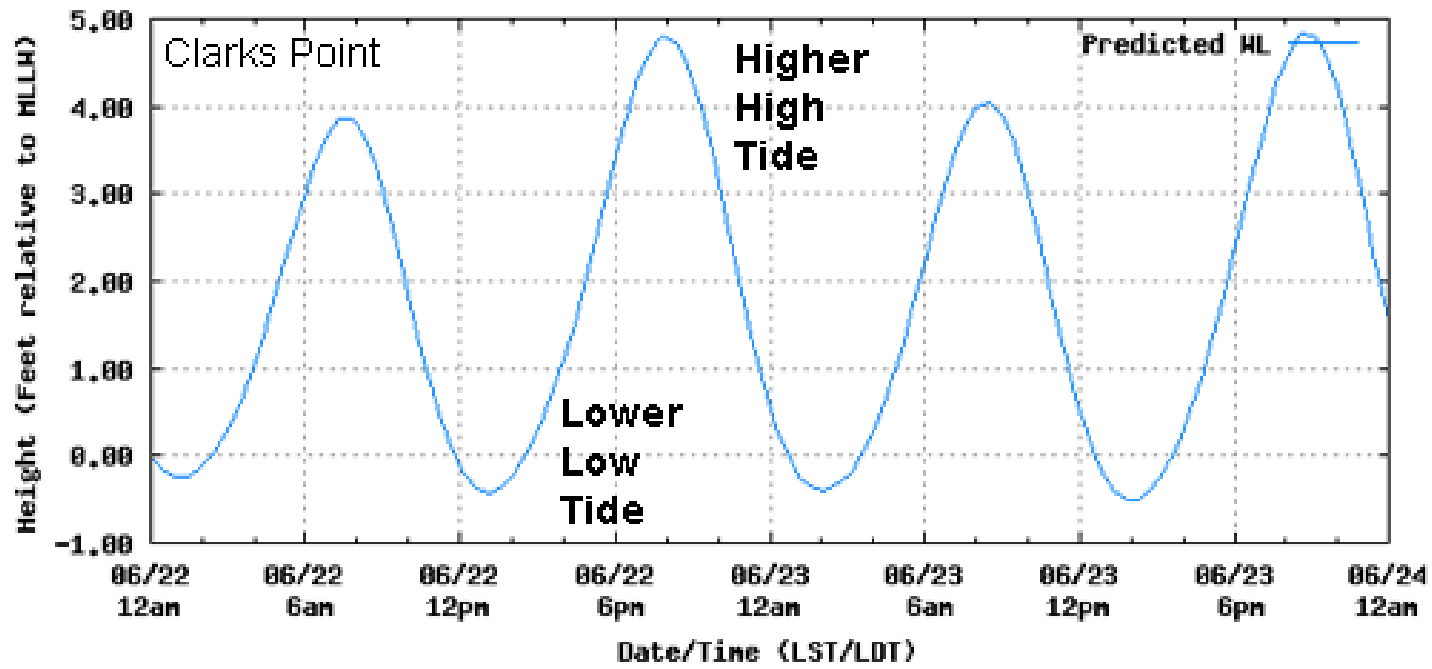


The values for the API Default drag and inertia coefficients depend on whether the location considered is above or below the specified **high tide** elevation as shown in the following table.

API Default Drag and Inertia Coefficients

Location	Drag Coefficient	Inertia Coefficient
Above High Tide Elevation (Smooth)	0.65	1.6
Below or At High Tide Elevation (Smooth)	1.05	1.2





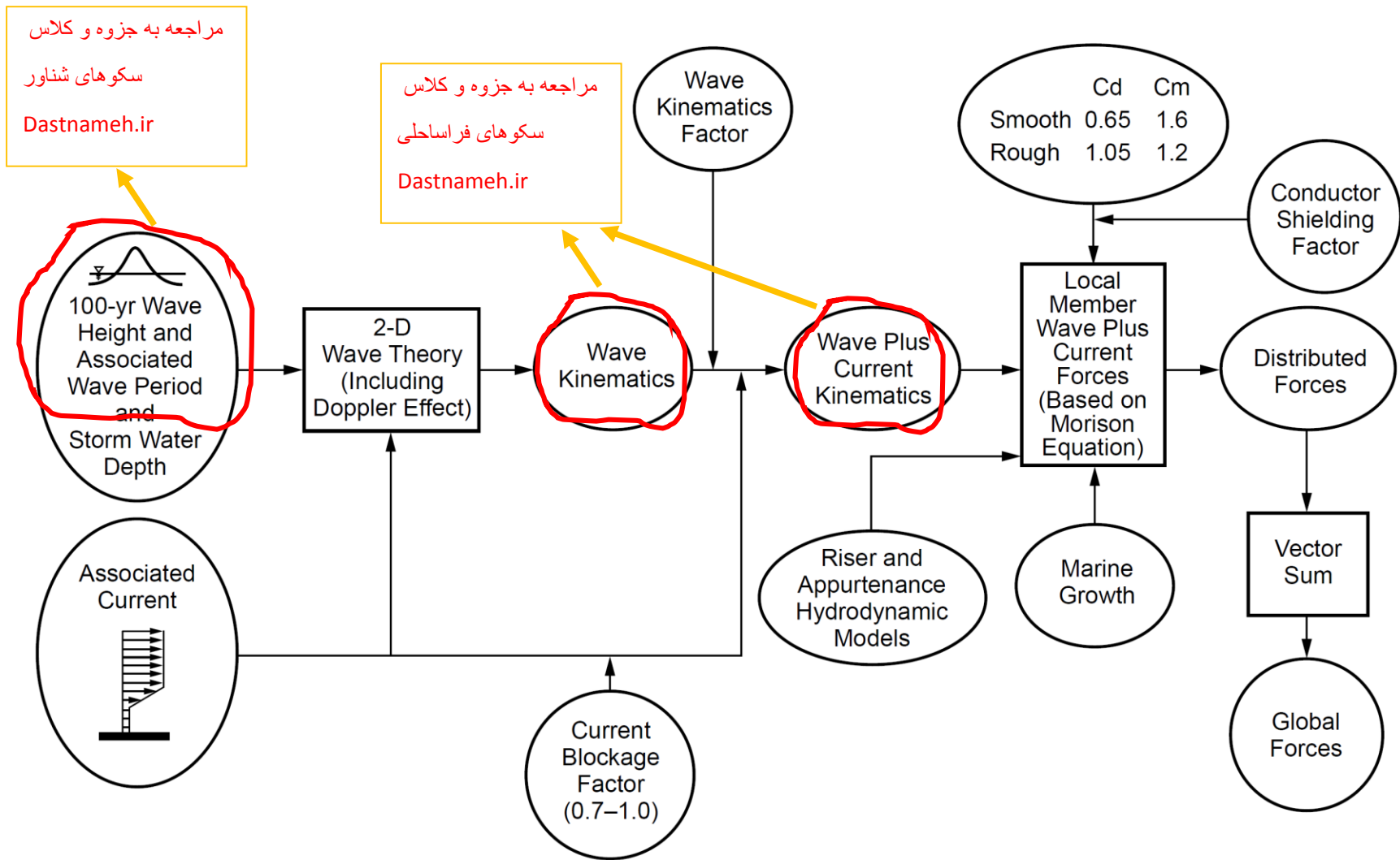


Figure 2.3.1-1—Procedure for Calculation of Wave Plus Current Forces for Static Analysis

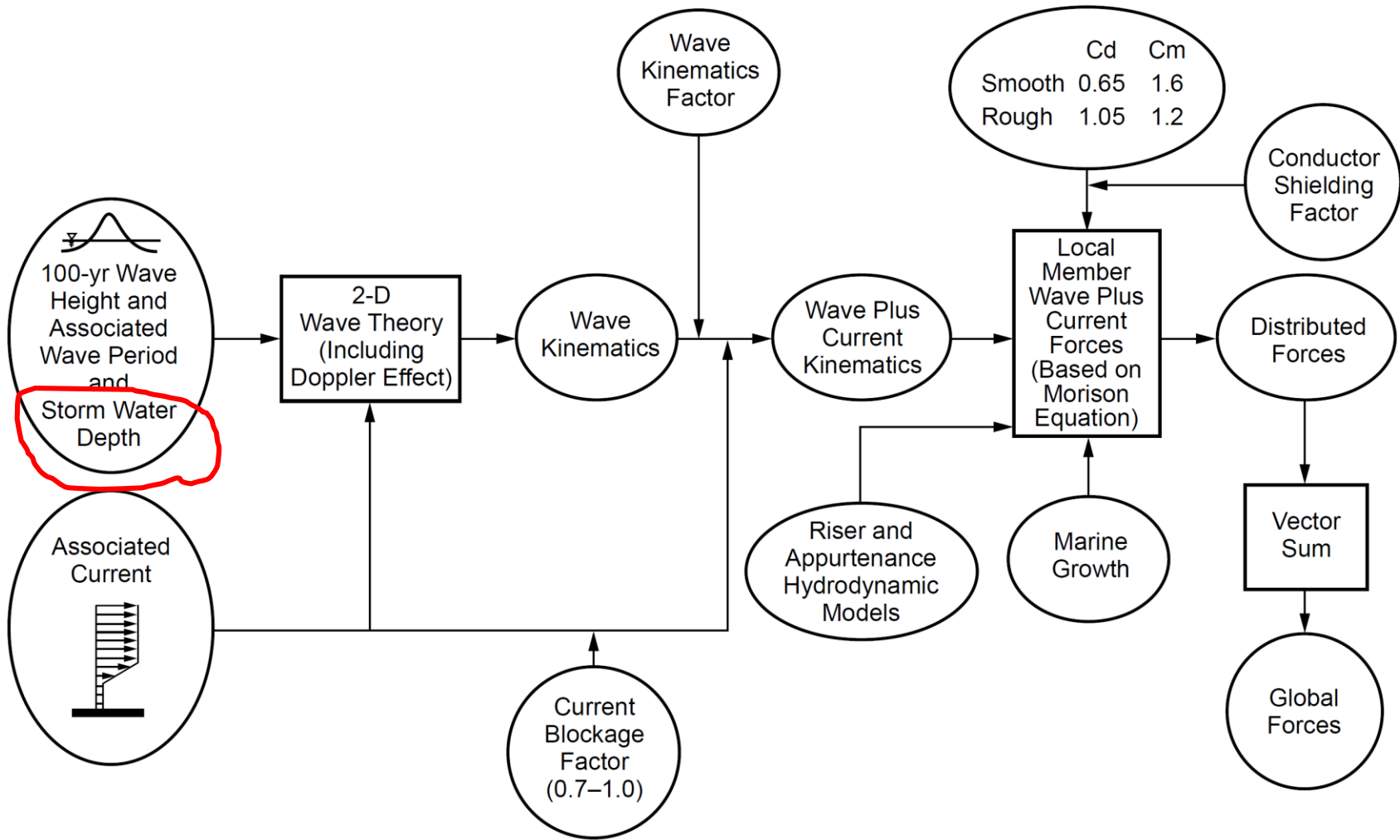
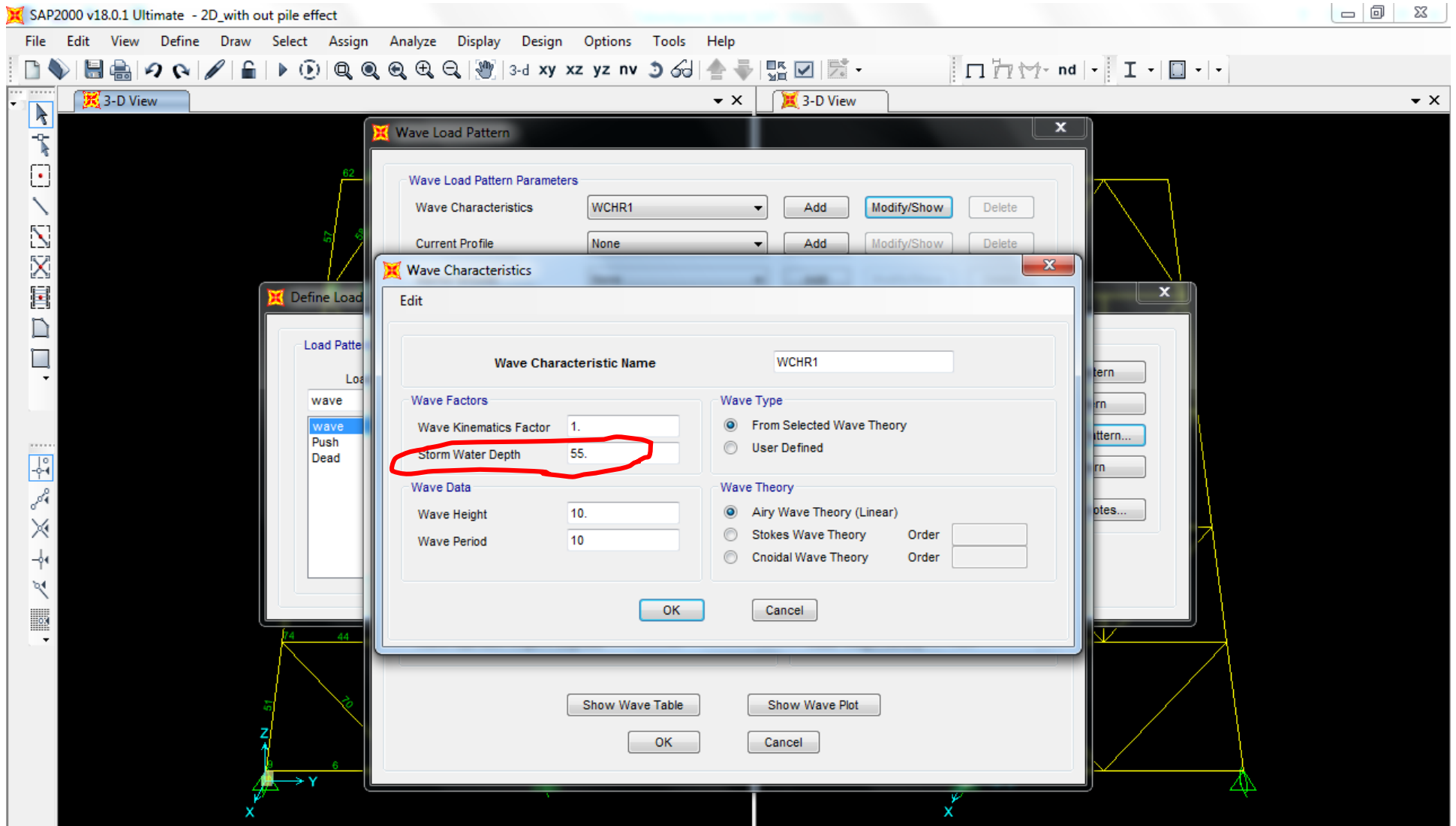
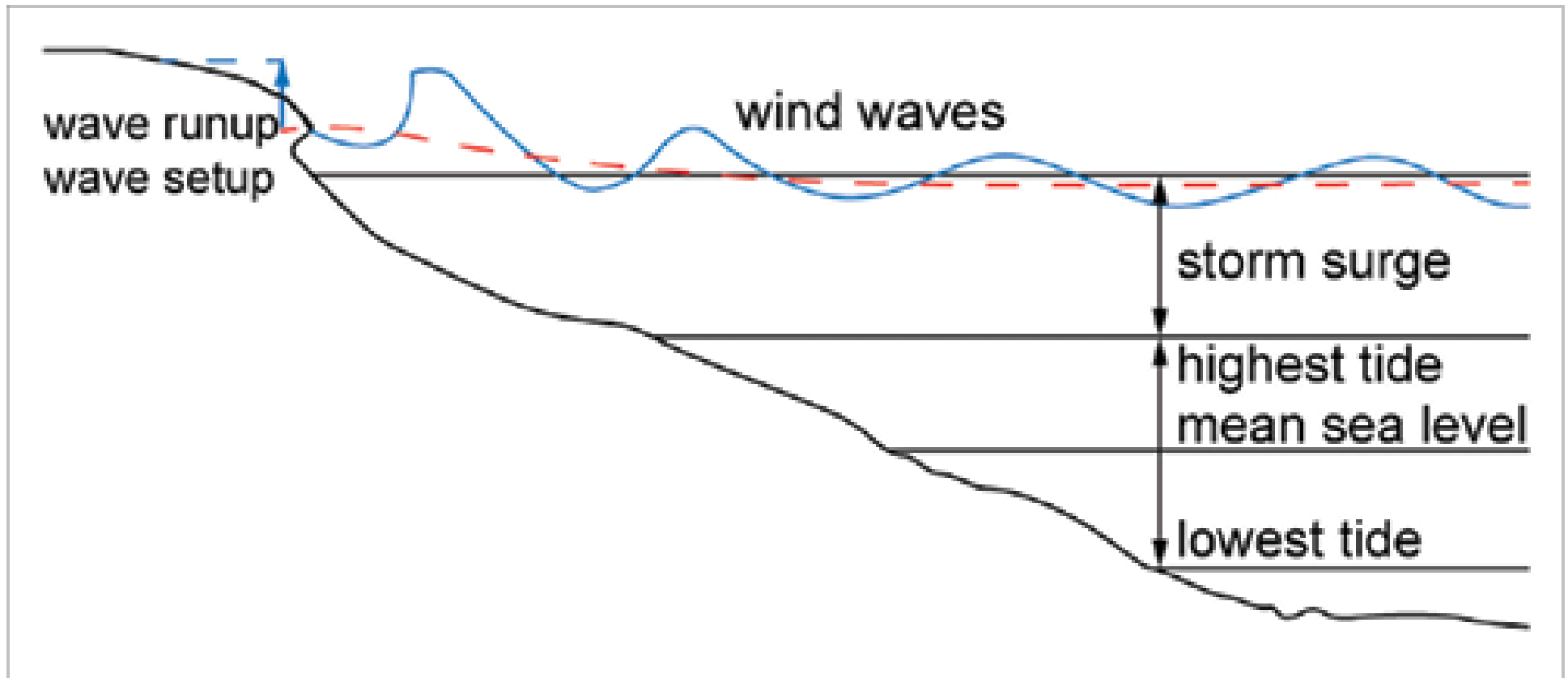
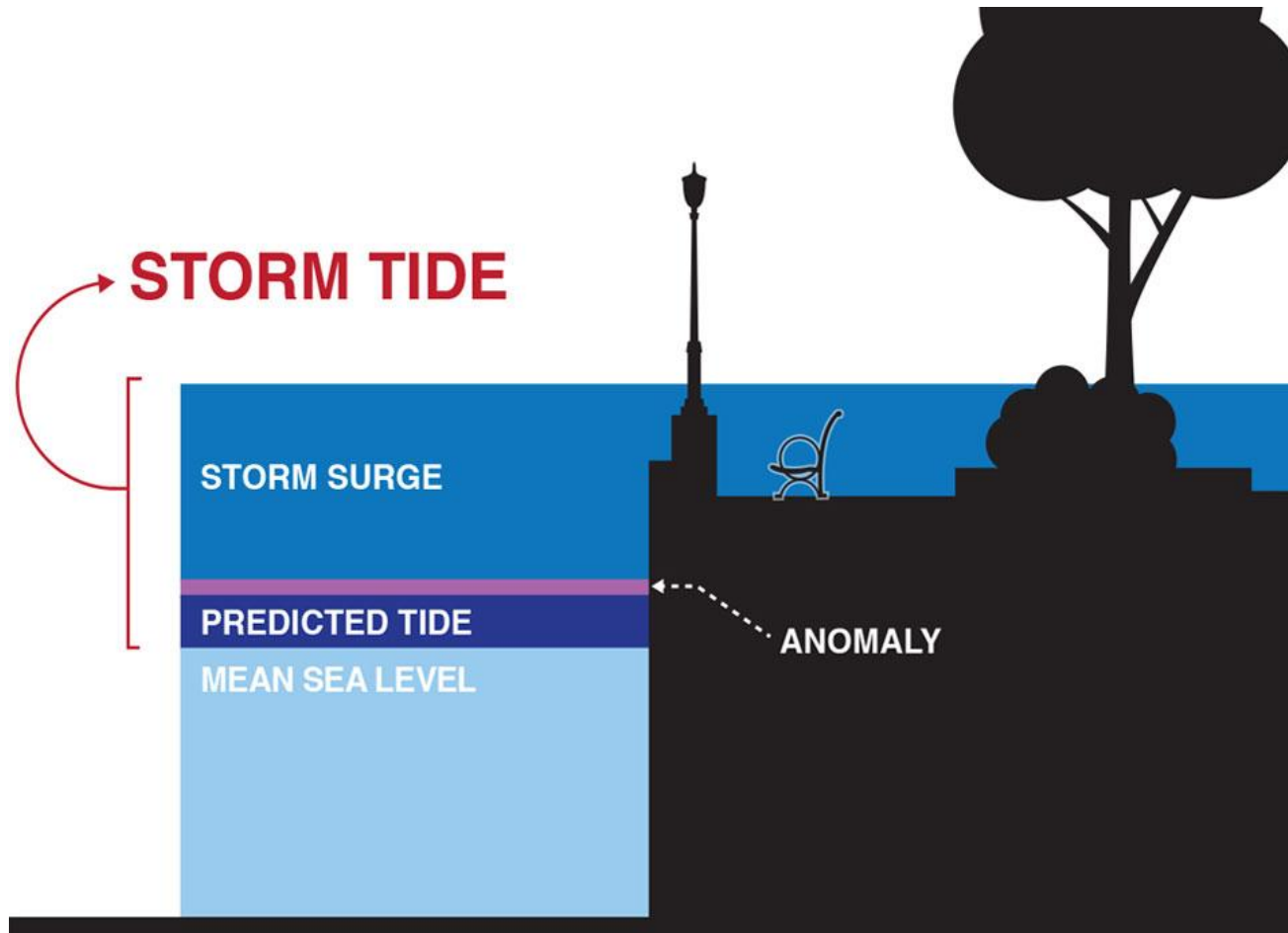


Figure 2.3.1-1—Procedure for Calculation of Wave Plus Current Forces for Static Analysis







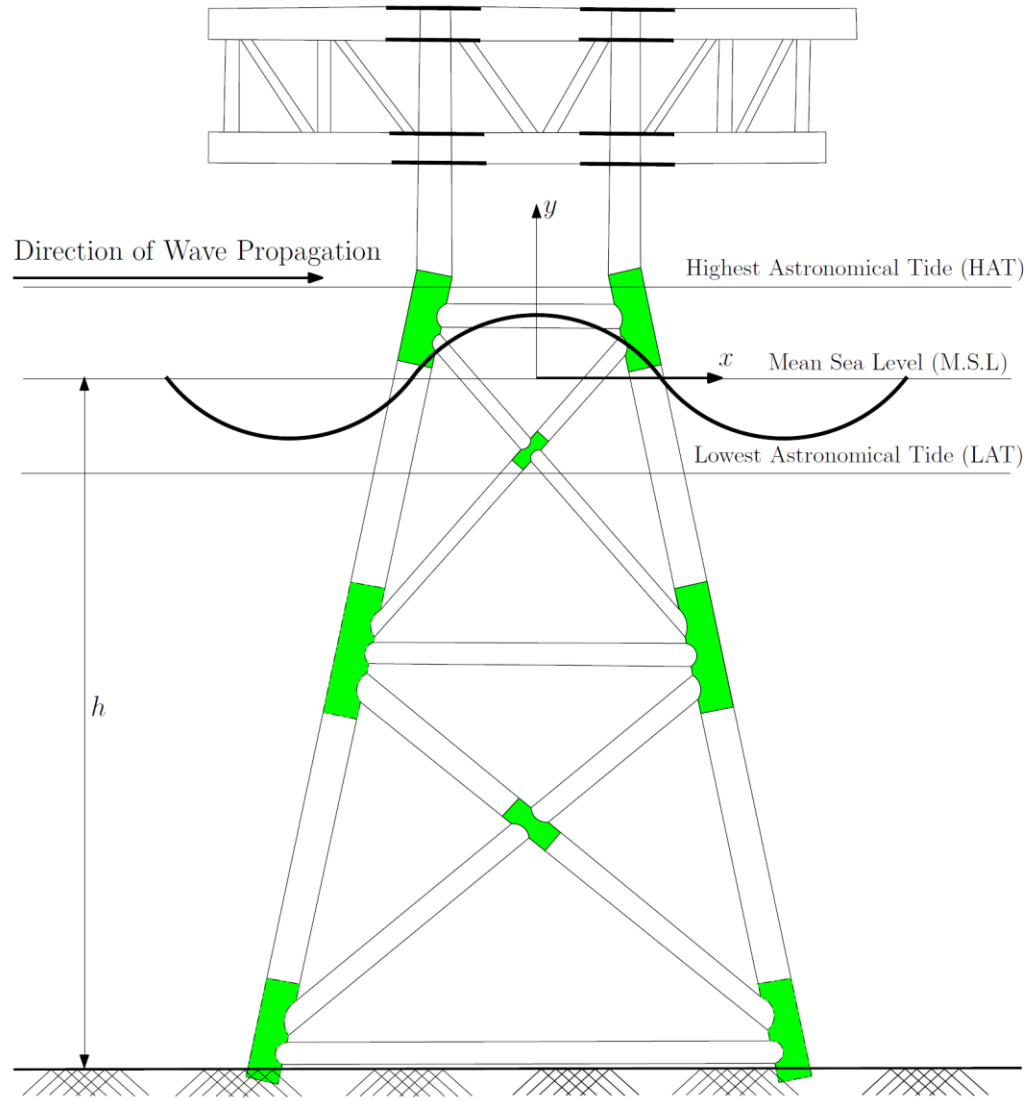


Figure 3.4: Wave Loads on Jacket Structure

3.4.7 Selection of Wave Theory

The computation of wave kinematics such as velocity and acceleration involves the equations from wave theory. There are various kinds of solutions available depending on the accuracy required, and parameters involved in the computation. The various wave theories are listed below.

- Linear / Airy Wave Theory
- Stokes Wave Theory (up to 5th order approximations)
- Stream Function Wave Theory (up to 22nd order approximations)
- Cnoidal Wave Theory

Wave Load Pattern

Wave Load Pattern Parameters

Wave Characteristics: WCHR1 [Add] [Modify/Show] [Delete]

Current Profile: None [Add] [Modify/Show] [Delete]

Wave Characteristics

Edit

Wave Characteristic Name: WCHR1

Wave Factors

Wave Kinematics Factor: 1.

Storm Water Depth: 55.

Wave Data

Wave Height: 10.

Wave Period: 10.

Wave Type

- From Selected Wave Theory
- User Defined

Wave Theory

- Airy Wave Theory (Linear)
- Stokes Wave Theory Order: []
- Cnoidal Wave Theory Order: []

[OK] [Cancel]

Show Wave Table [] Show Wave Plot []

[OK] [Cancel]

Define Load

Load Pattern

Load

wave

Push

Dead

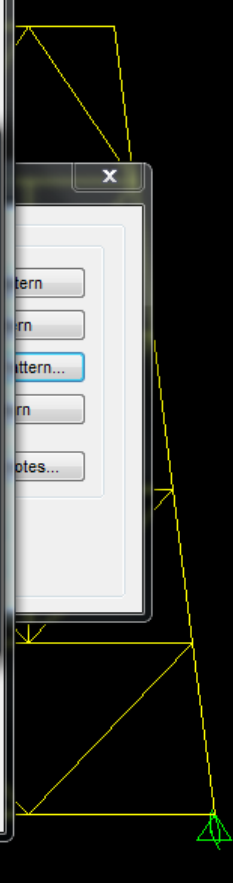
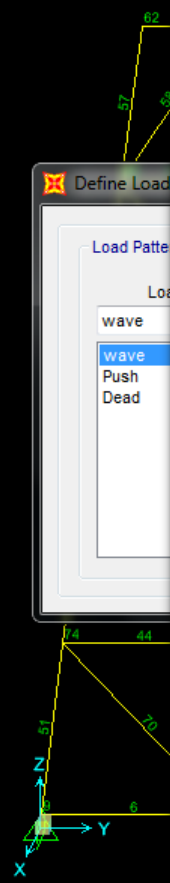
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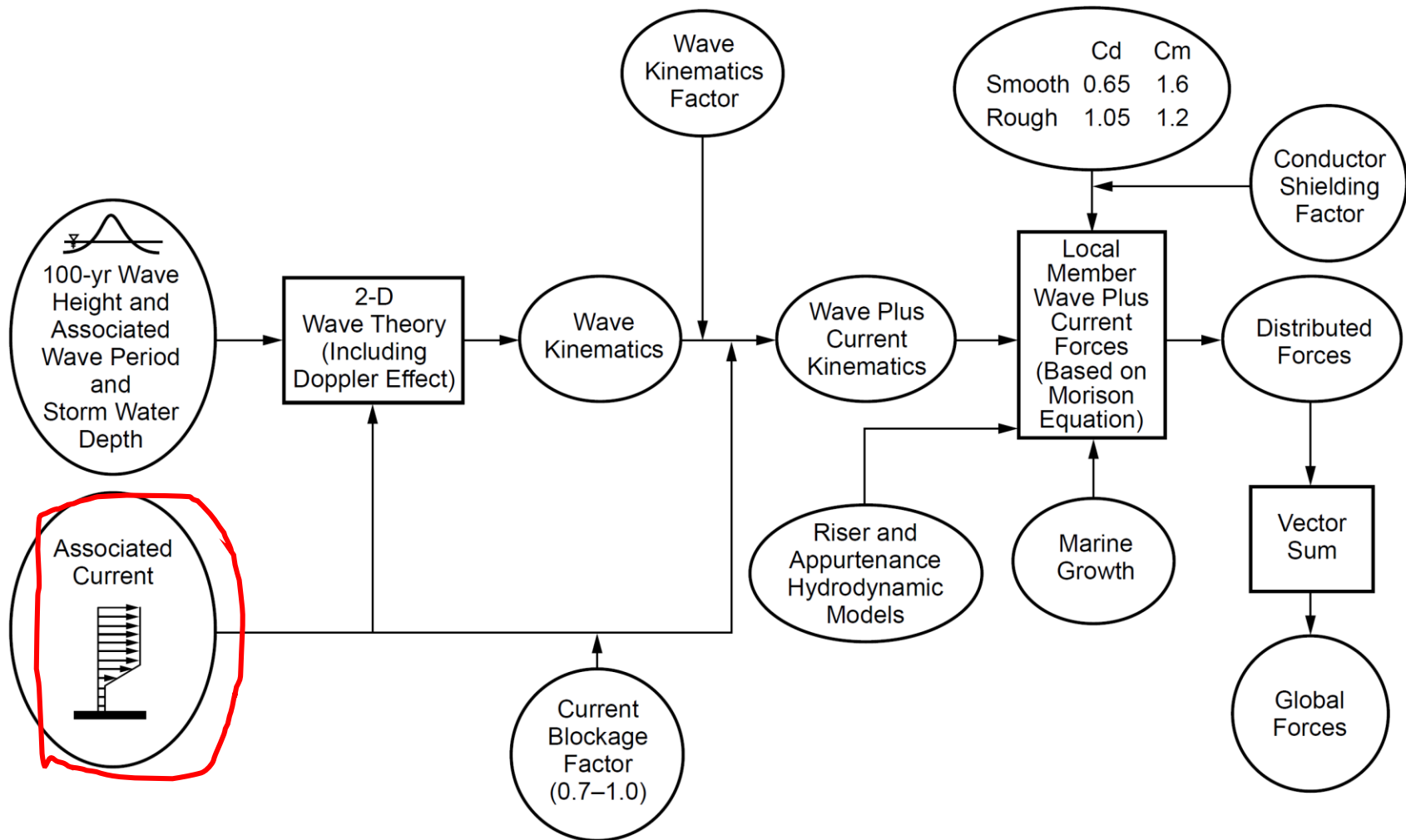


Figure 2.3.1-1—Procedure for Calculation of Wave Plus Current Forces for Static Analysis

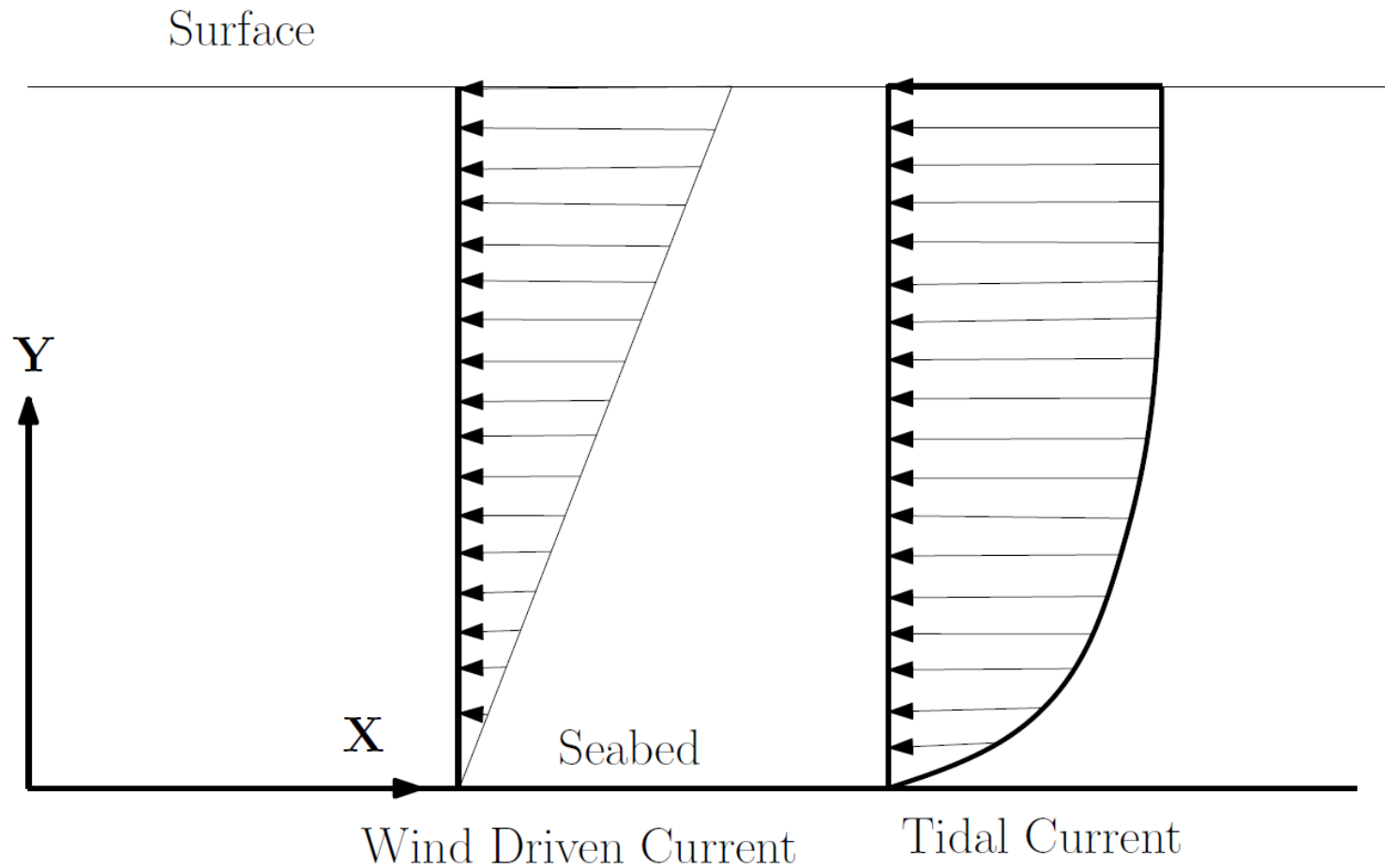


Figure 3.1: Current Profiles

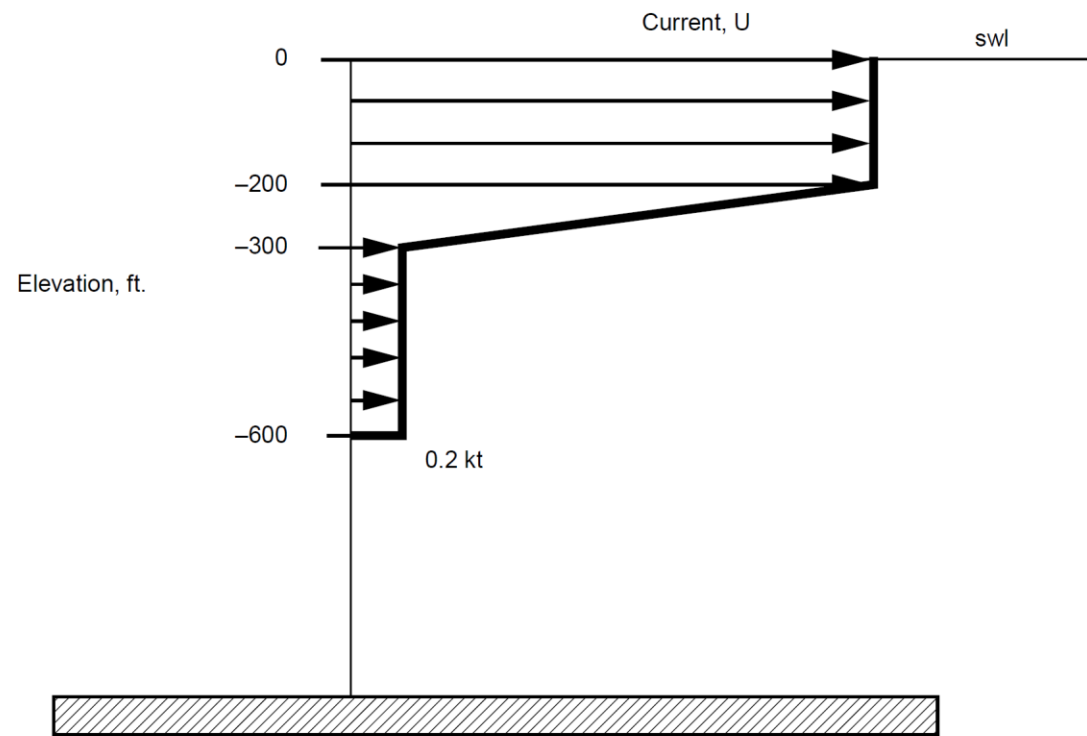


Figure 2.3.4-6—Guideline Design Current Profile for L-1, L-2, and L-3 Structures, Gulf of Mexico, North of 27°N and West of 86°W

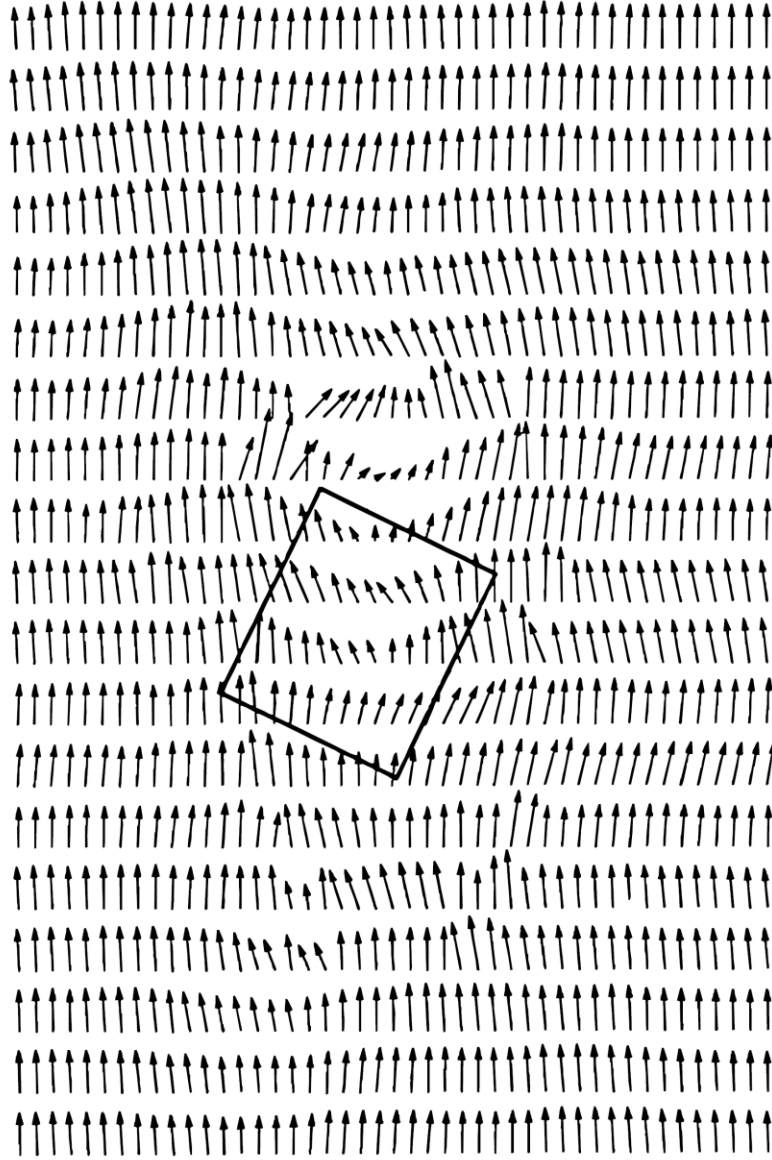


Figure C2.3.1-1—Current Vectors Computed from Doppler Measurements at 60 ft on the Bullwinkle Platform (100 cm/s →)

SAP2000 v18.0.1 Ultimate - 2D_with out pile effect

File Edit View Define Draw Select Assign Analyze Display Design Options Tools Help

3-d xy xz yz nv

3-D View

Wave Load

Current Profile Data

Edit

Current Profile Name: WCUR1

Current Profile Factors

Current Blockage Factor: 0.9

Current Profile Stretching Option: Linear

Data is Specified at This Number of Elevations

Number of Elevations: 1

Current Profile Data

	Vert from Datum	Current Velocity	Current Direction
1	0.	0.	0.

Order

OK

Cancel

Define Load

Load Pattern

Load

wave

Wave Push Dead

GLOBAL

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EN

2:05 PM

5/27/2016

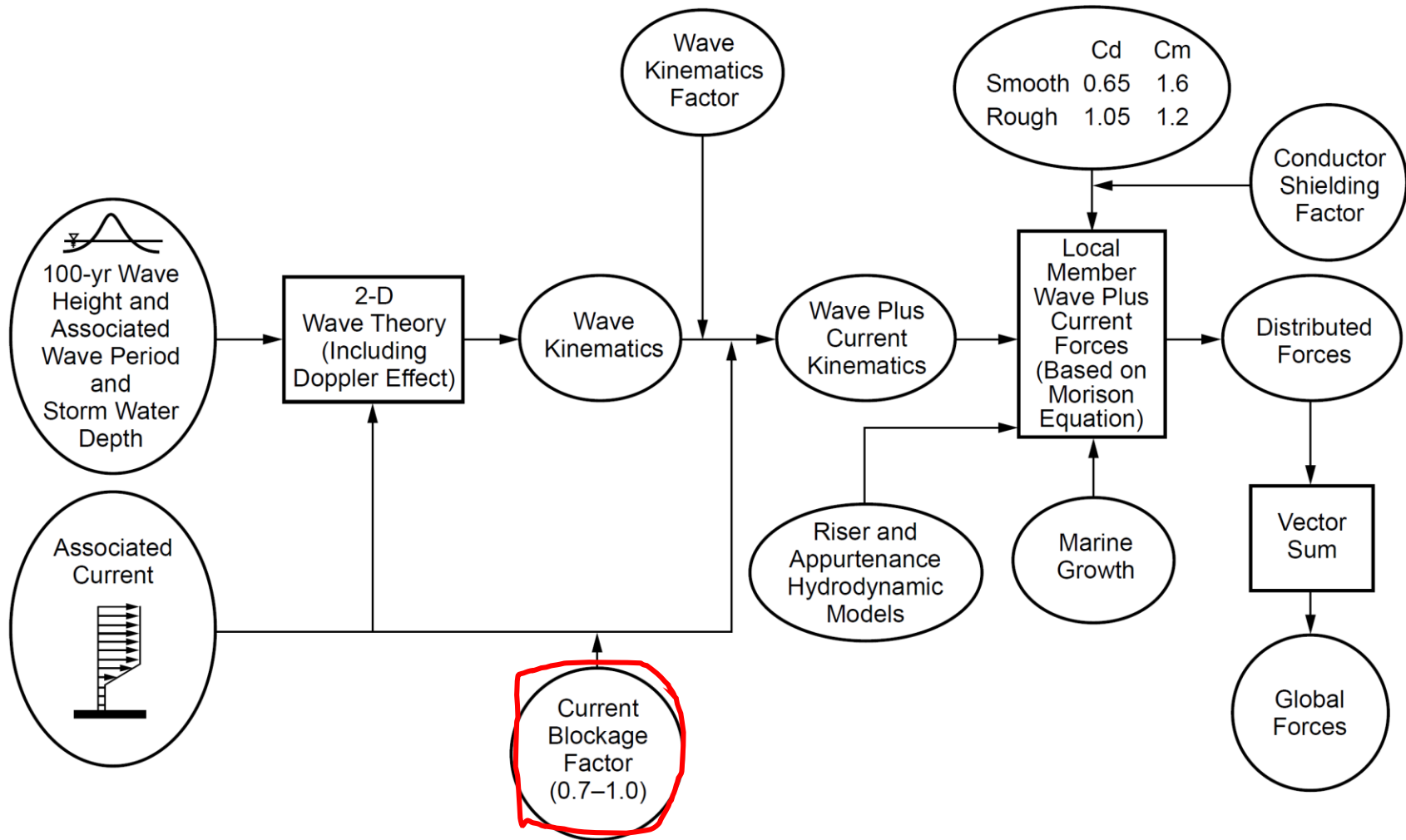


Figure 2.3.1-1—Procedure for Calculation of Wave Plus Current Forces for Static Analysis

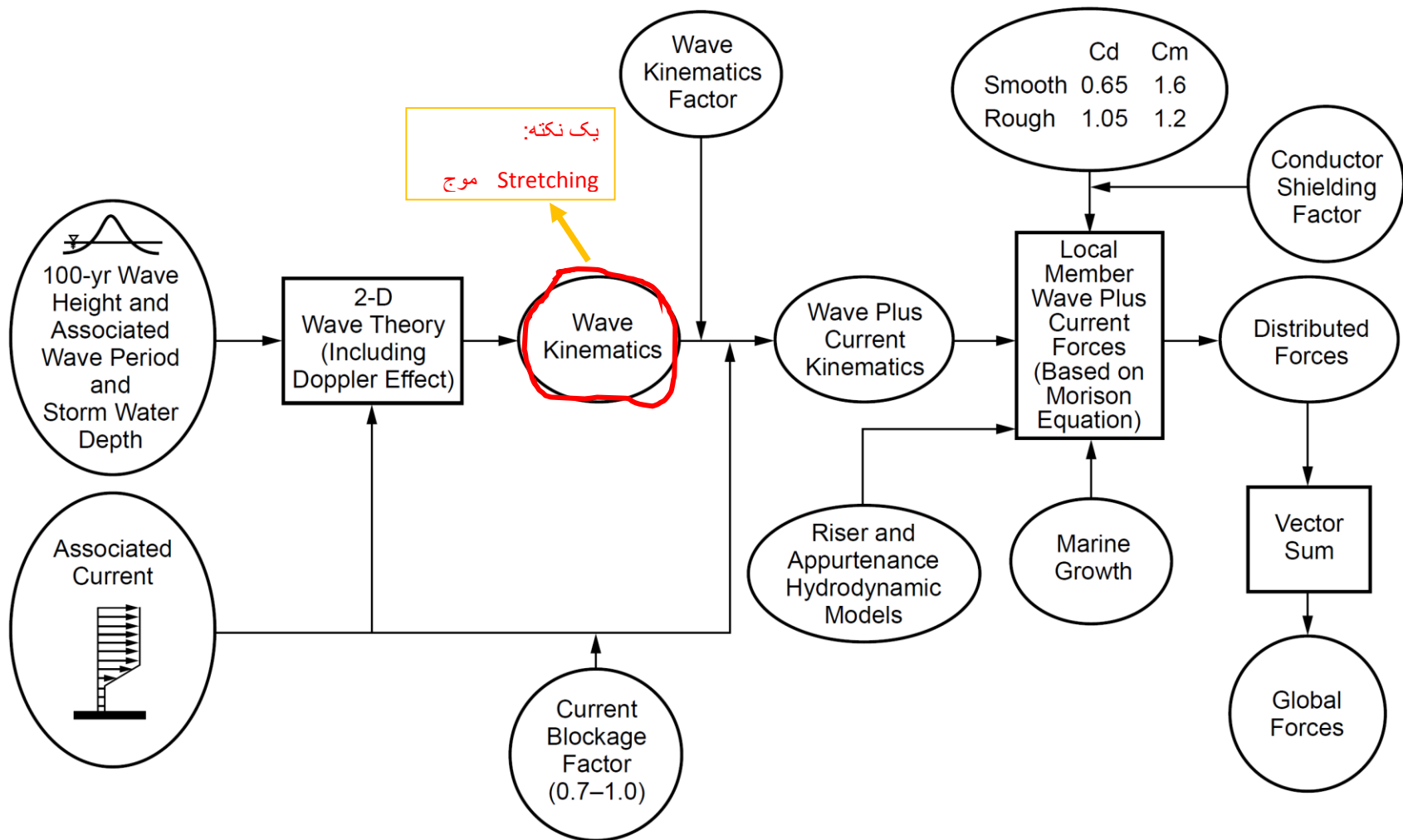
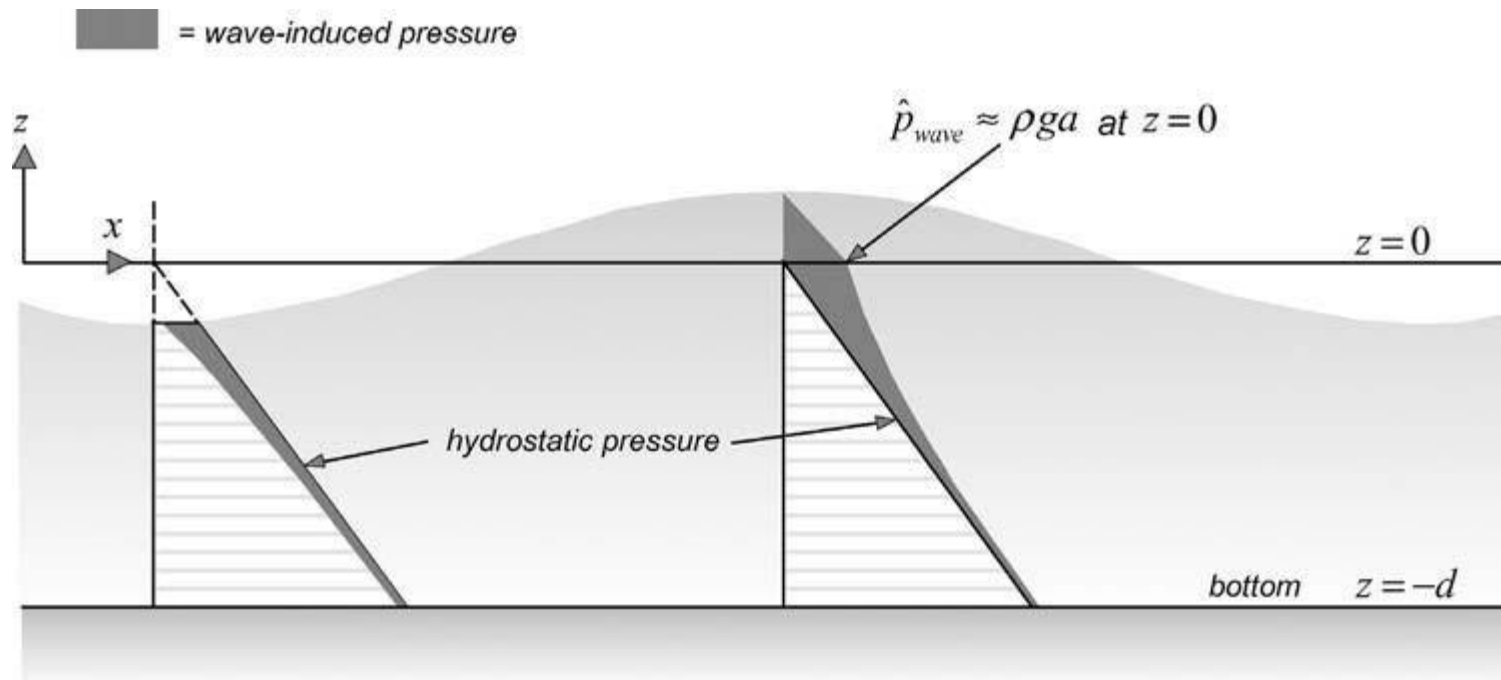


Figure 2.3.1-1—Procedure for Calculation of Wave Plus Current Forces for Static Analysis

Stretched wave



USFOS

سرچ در

USFOS

Hydrodynamics

Theory Description of use Verification

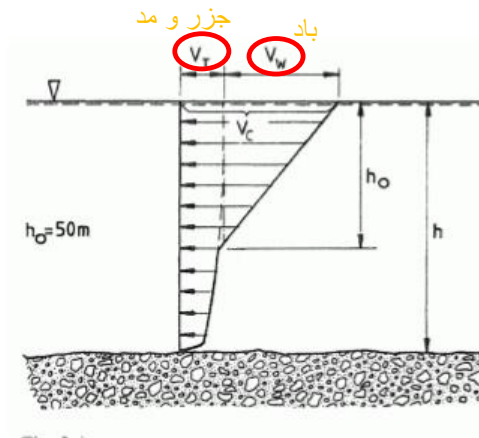


Figure 2-3
 Current profile

Although the tidal current velocity can be measured in the absence of waves, and the wind generated current velocity can be calculated, the resulting current velocity in the extreme storm condition is a rather uncertain quantity.

The wind generated current may be taken as:

$$v_w = 0.017 v_{R1}$$

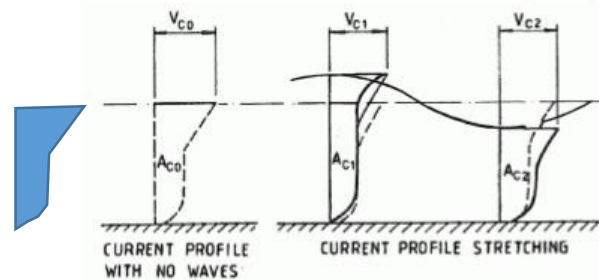
where

- v_{R1} = wind velocity for $z = 10 \text{ m/t} = 1 \text{ min}$. See 2.4
- z = height above still water
- t = averaging period

It is normally assumed that waves and current are coincident in direction.

The variation in current profile with variation in water depth due to wave action is to be accounted for.

In such cases the current profile may be stretched or compressed vertically, but the current velocity at any proportion of the instantaneous depth is constant, see Figure 2-4. By this method the surface current component shall remain constant.



$$v_{c0} = v_{c1} = v_{c2}$$

$$A_{c1} > A_{c0} > A_{c2}$$

Figure 2-4
 Recommended method for current profile stretching with waves

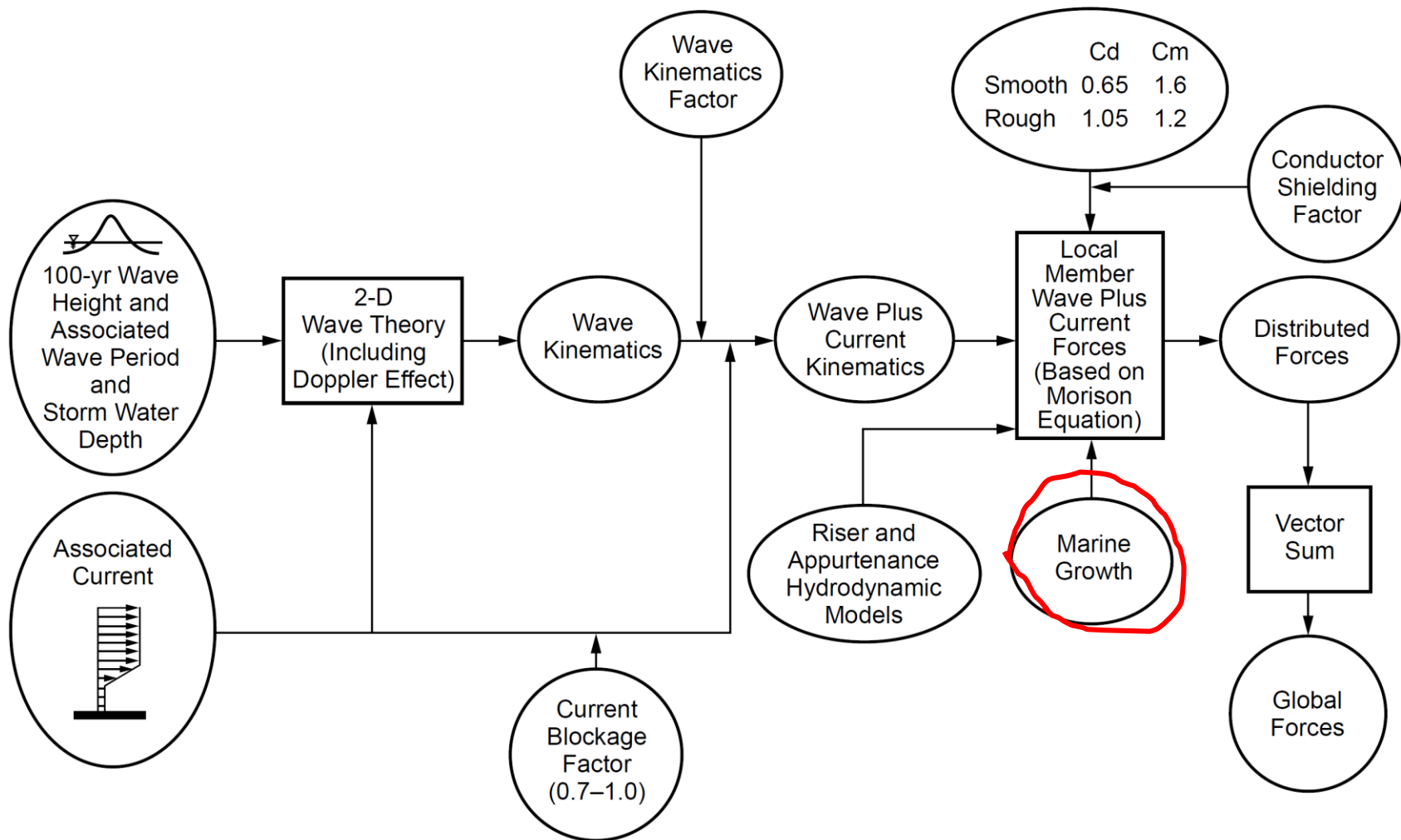


Figure 2.3.1-1—Procedure for Calculation of Wave Plus Current Forces for Static Analysis

SAP2000 v18.0.1 Ultimate - 2D_with out pile effect

File Edit View Define Draw Select Assign Analyze Display Design Options Tools Help

3-d xy xz yz nv

3-D View

Wave Load Pattern

Wave Load Pattern Parameters

Wave Characteristics: WCHR1 [Add] [Modify/Show] [Delete]

Current Profile: None [Add]

Marine Growth: None [Add]

Drag and Inertia Coefficients: WDIC1 [Add]

Wind Load: None [Add]

Include Buoyant Loads

Wave Load Pattern Discretization

Maximum Discretization Segment Size: 0.5

Wave Crest Position

Global X Coord of Pt on Initial Crest Position: 0.

Global Y Coord of Pt on Initial Crest Position: 0.

Number of Wave Crest Positions Considered: 10

Wave Direction

Wave Approach Angle in Degrees: 90.

Vertical Reference: Global Z Coord of Vertical Datum

Other Vertical Reference: Mudline from High Tide

Sea Water Level: Water Level

[Show Wave Table] [Show Wave Plot]

[OK] [Cancel]

Marine Growth Data

Edit

Marine Growth Name: WMG1

Data is Specified at This Number of Elevations

Number of Elevations: 1

Marine Growth Data

	Vert from Datum	Growth Thick
1	0.	0.

[Order]

[OK] [Cancel]

3-D View



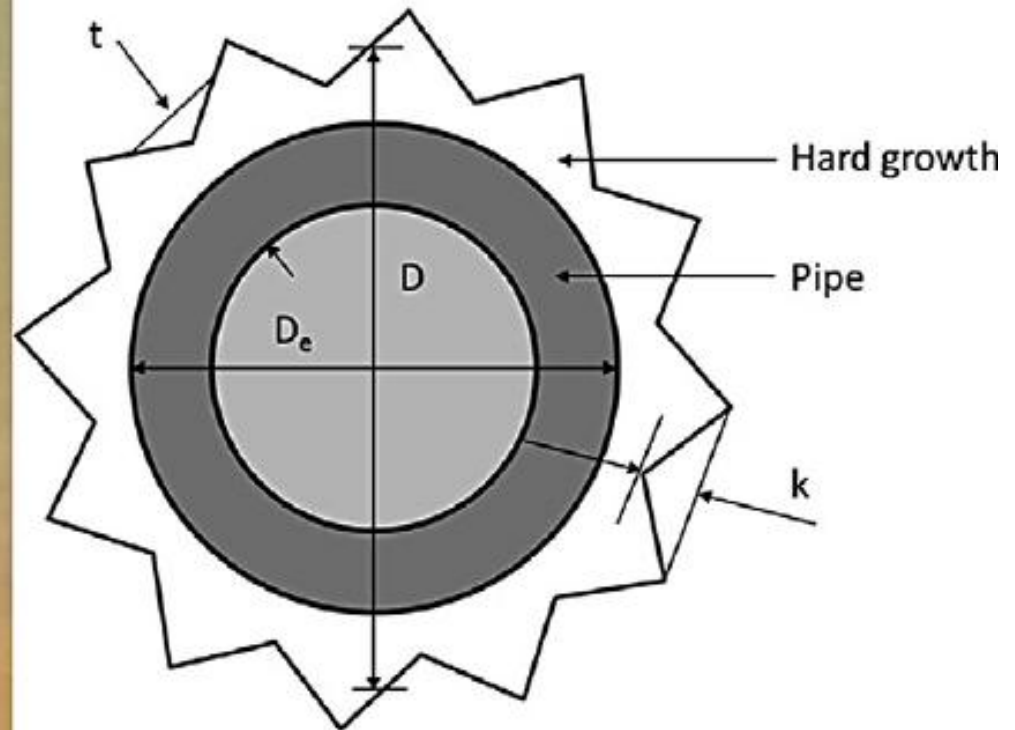


رویدنیهای دریایی:

افزایش سطح مقابل موج

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افزایش جرم



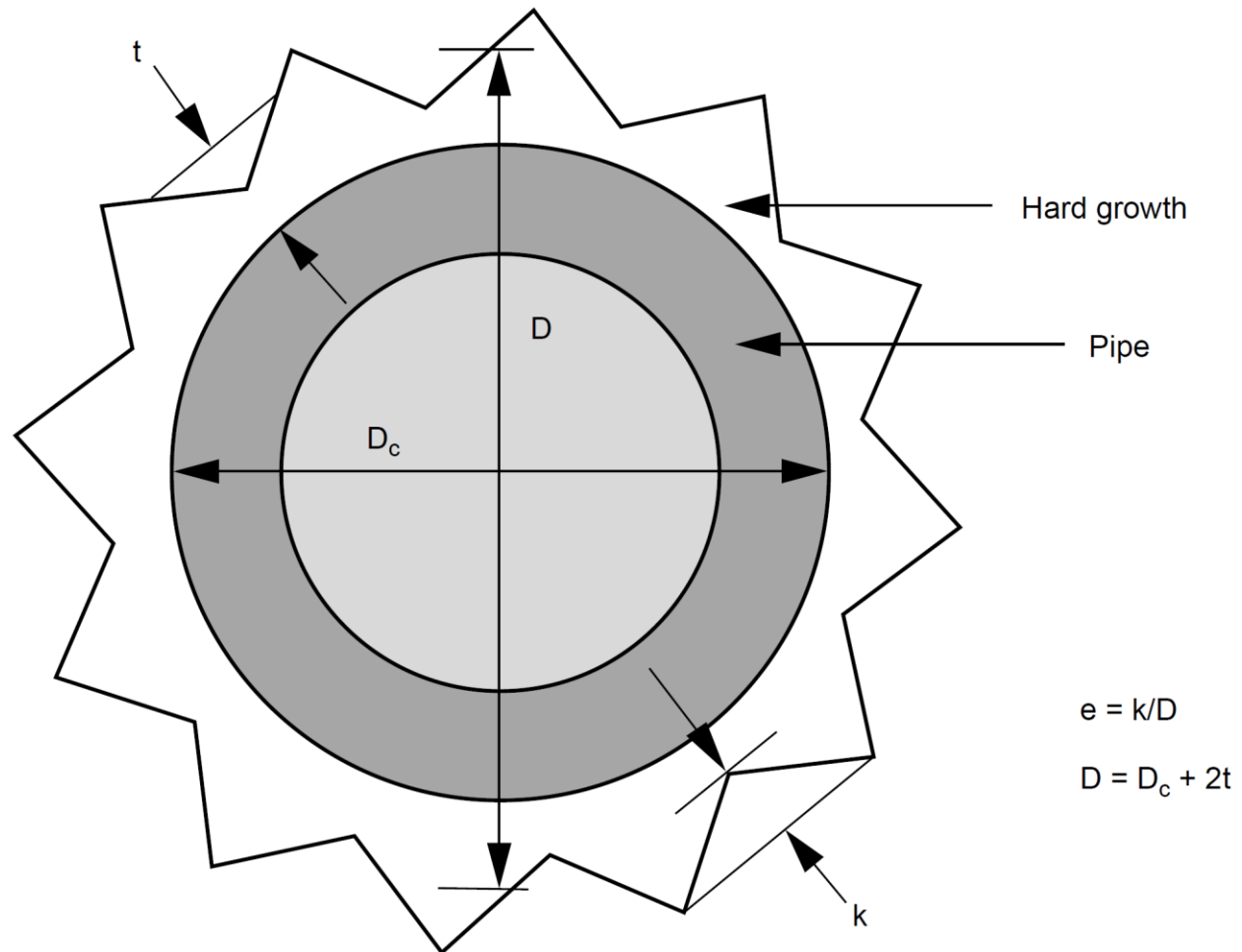
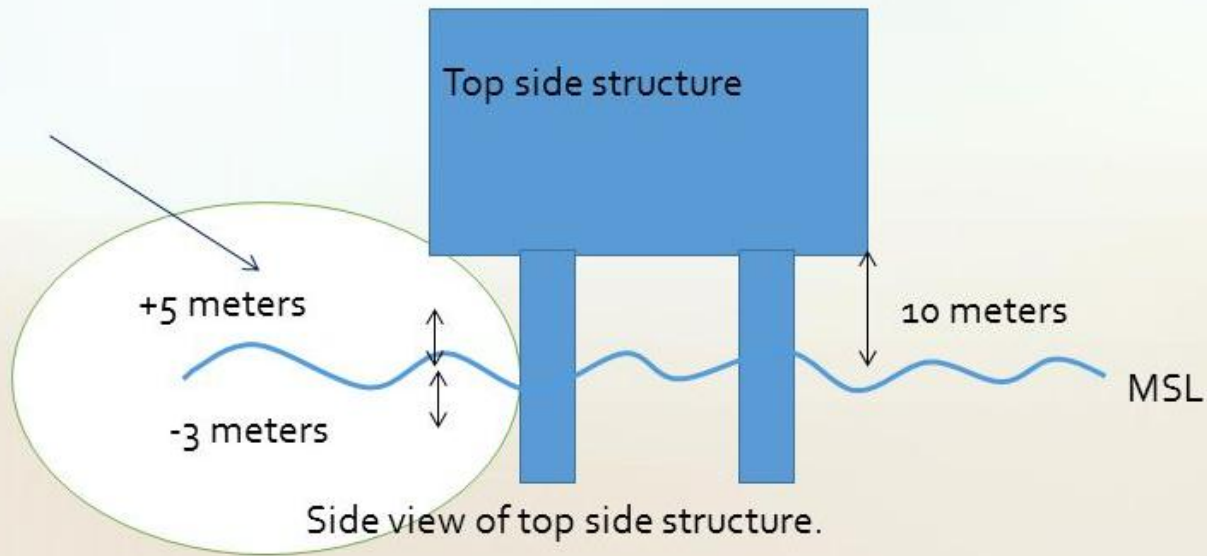


Figure C2.3.1-3—Definition of Surface Roughness Height and Thickness

• Splash Zone

- The splash zone is defined as that region below +5.0m MSL and above -3.0m MSL for Malaysian waters.

Splash zone



3.4.4 Marine Growth

Marine growth is an important part in increasing the loads on offshore structures. The growth of marine algae increases the diameter and roughness of members which in turn cause the wave or current loading to increase. Detailed discussion on the member roughness and its relationship with hydrodynamic coefficients can be found in API RP2A.

The thickness of marine growth generally decrease with depth from the mean sea level and it is maximum in the splash zone. The thickness of marine growth in the splash zone can be as much as 20cm and will reduce below to 5cm. In deeper zones, the thickness may be negligible.

Splash Zone is a region where the water levels fluctuate between low to high. The actual elevation of the bottom and top of these vary from location to location due to different tidal conditions. In general terms, the splash zone will vary from -3m to +5m.

In structural analysis, the increased diameter of the member ($D = d + t_m$) shall be included so that the wave and current loads can be calculated correctly. D and d are the diameter of increased member and original member respectively and t_m is the thickness of marine growth.

The roughness of the marine growth is an important parameter in determining the drag and inertia coefficients. reference shall be made relevant API RP2A clauses for more details.

API Default Drag and Inertia Coefficients

Location	Drag Coefficient	Inertia Coefficient
Above High Tide Elevation (Smooth)	0.65	1.6
Below or At High Tide Elevation (Smooth)	1.05	1.2

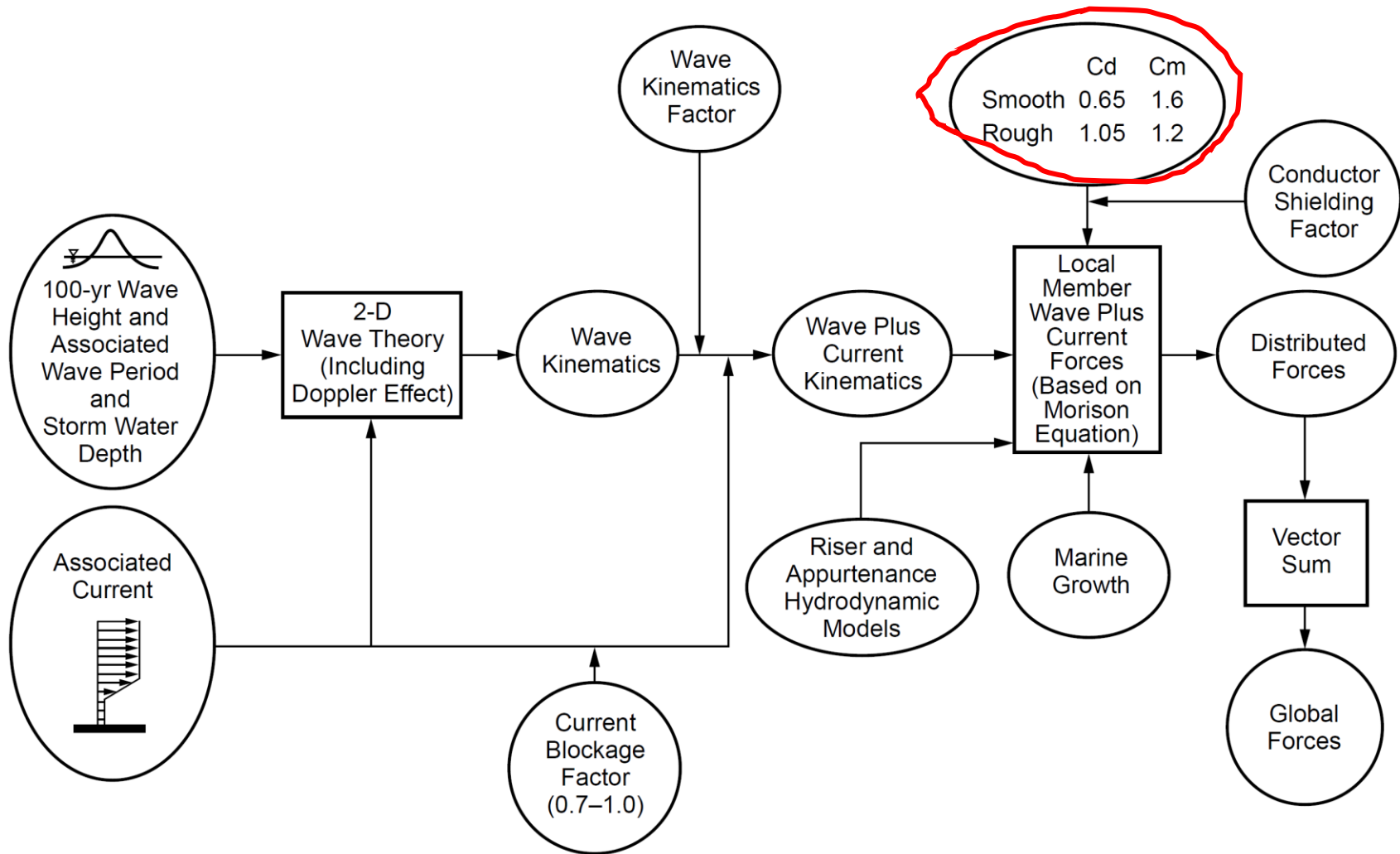


Figure 2.3.1-1—Procedure for Calculation of Wave Plus Current Forces for Static Analysis

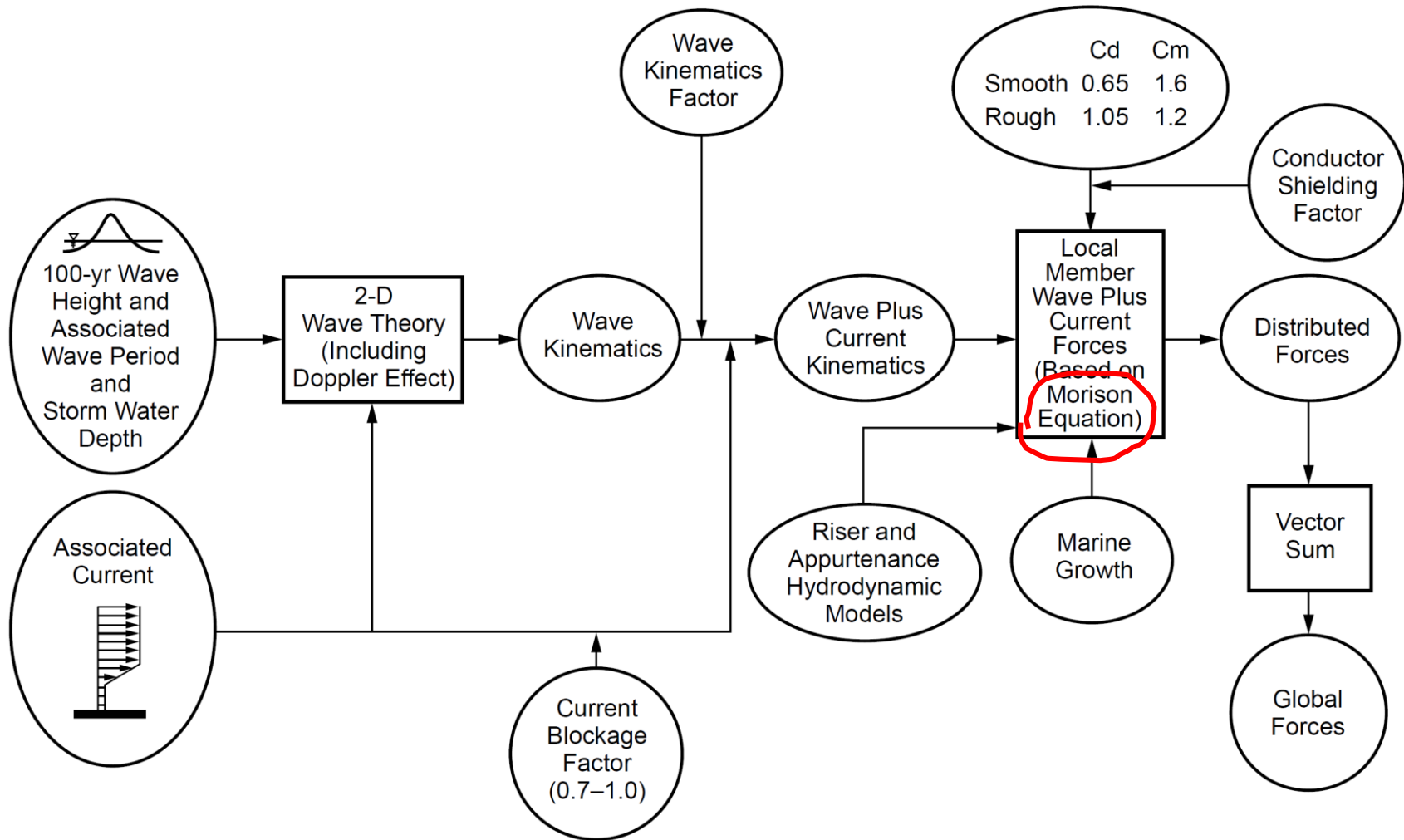


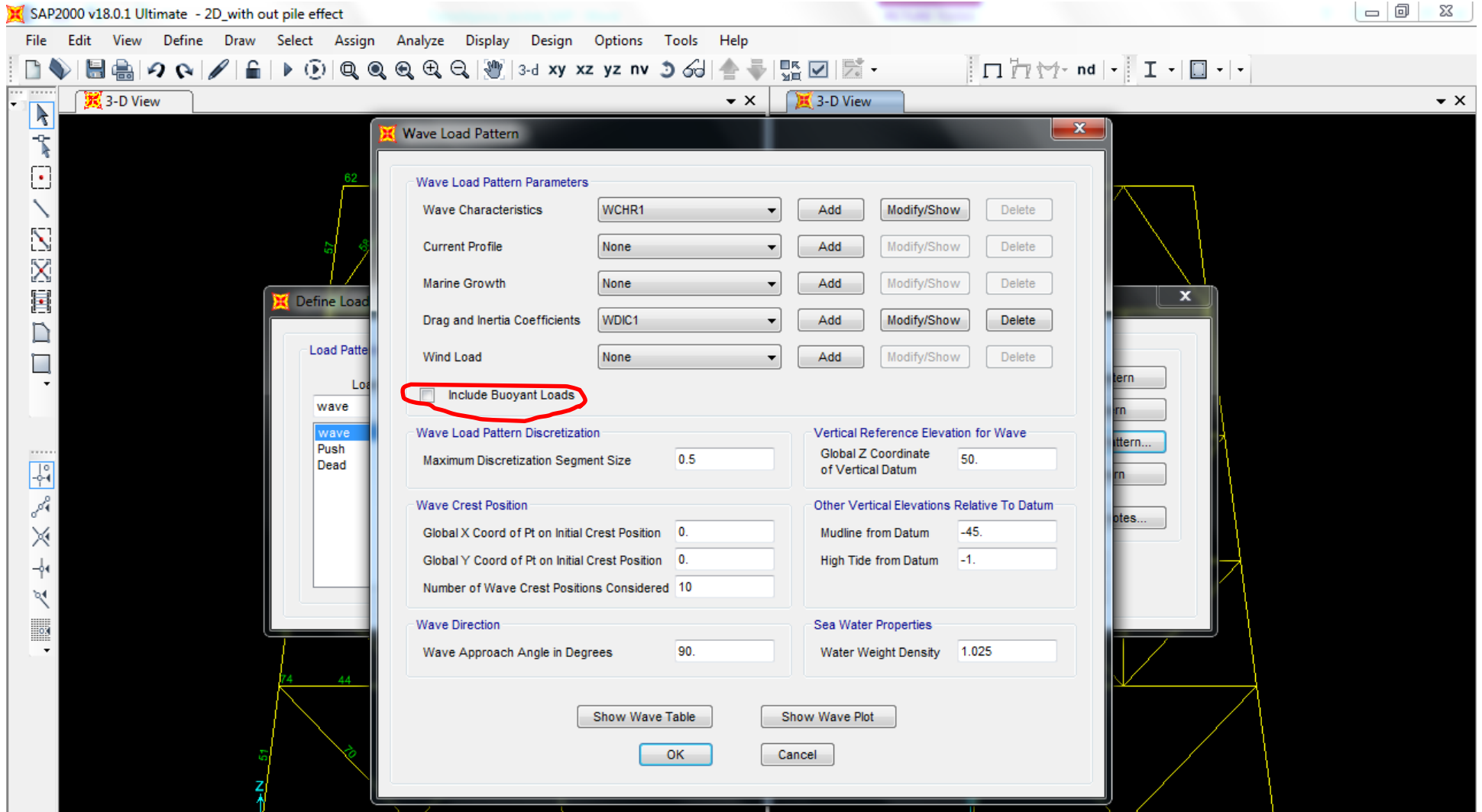
Figure 2.3.1-1—Procedure for Calculation of Wave Plus Current Forces for Static Analysis

3.4.5 Morison Equation

Wave and current loading can be calculated by Morison equation.

Morison equation can be written as :

$$F_T = \frac{1}{2} C_D \rho_w D V |V| + \frac{\pi D^2}{4} C_M \rho_w a \quad (3.18)$$



3.4.10 Buoyancy Loads

The offshore structural members mostly made buoyant by air tight sealing of the welds to avoid water entry. This is purposely planned so that the overall structure will have adequate buoyancy during installation. Typical example is the jacket structure. This kind of structure requires at least a reserve buoyancy of 10% to 15%. The reserve buoyancy is defined as buoyancy in excess of its weight. To obtain this buoyancy, structural tubular members are carefully selected such that their buoyancy / weight ratio is greater than 1.0. This means that the member will float in water. On other hand, if the member is part of a structure supported at its two ends and forced to be submerged by weight of other members, this member will experience a upward force equal to the displaced volume of water. This is called buoyancy force. The buoyancy force can be calculated by two methods.

- Marine Method
- Rational Method

The marine method assumes that the member in consideration considered to have rigid body motion. This means that the weight of the member is calculated using submerged density

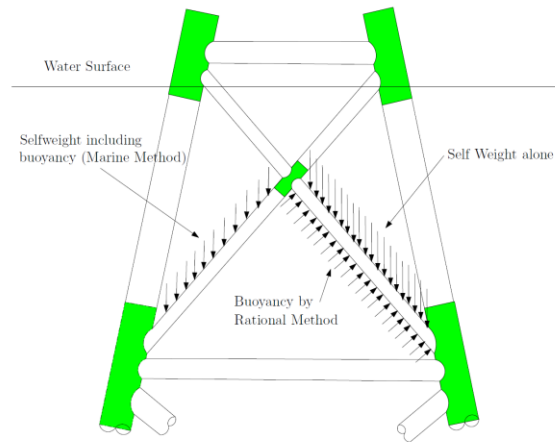


Figure 3.5: Buoyancy Calculation methods

of steel and applied to the member vertically down as an uniformly distributed load. This buoyant weight W_B of the member per unit length can be calculated as

$$W_B = \frac{1}{4}\pi(D^2 - (D - t)^2)(\rho_s - 1.025) \quad (3.44)$$

where ρ_s is the density of steel

Unlike gravity which is a true body force acting on every particle of a body, buoyancy is the resultant of fluid pressure acting on the surface of the body. These pressures can only act normal to the surface.

The rational method takes in to account this pressure distribution on the structure, results in a system of loads consisting of distributed loads along the members and concentrated loads at the joints. The loads on the members are perpendicular to the member axis and in the vertical plane containing the member. The magnitude of this distributed member load can be expressed as

$$B_B = \frac{1}{4}\pi D^2 \rho_w \cos \alpha \quad (3.45)$$

where α is the angle between the member and its projection on a horizontal plane

The joint loads consists of forces acting in the directions of all of the members meeting at the joint. These joint forces act in a direction that would compress the corresponding members

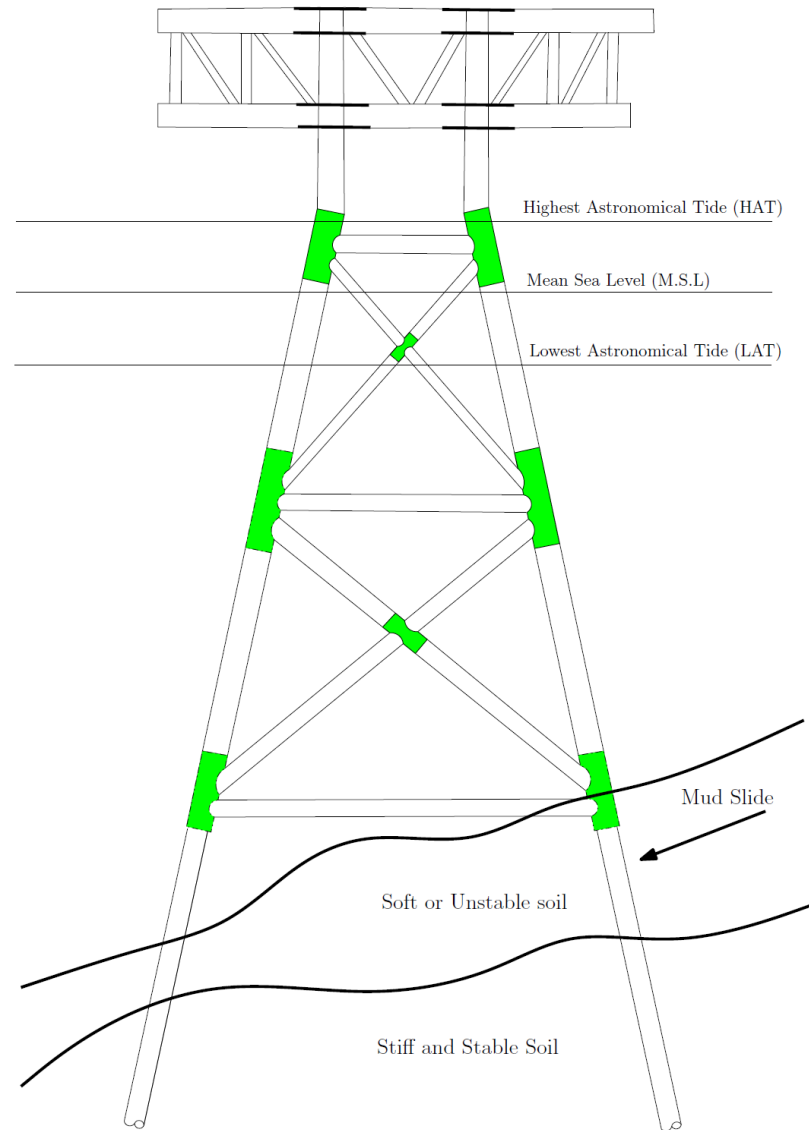
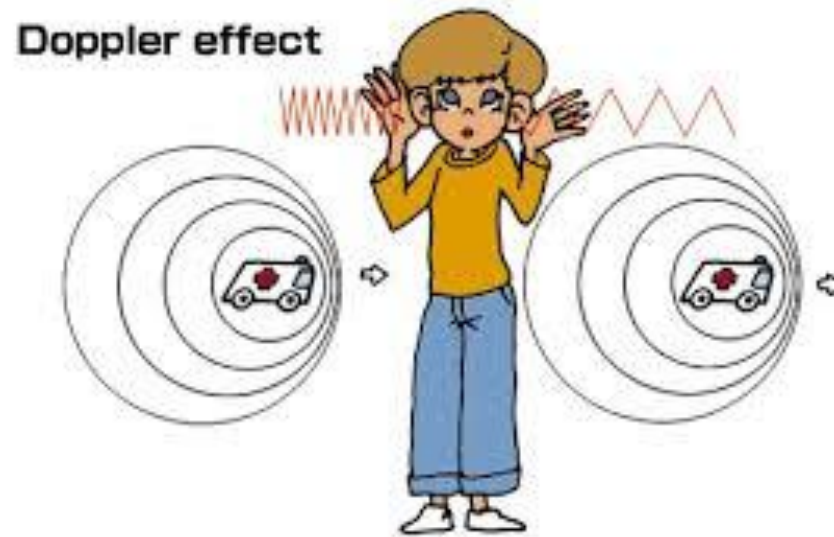


Figure 3.7: Mud Loading on a structure

Waves on a mean current: Doppler shift (مشابهت لرزه ای!) **Doppler** shift



Water waves on a mean flow (so a wave in a moving medium) experience a [Doppler shift](#). Suppose the dispersion relation for a non-moving medium is:

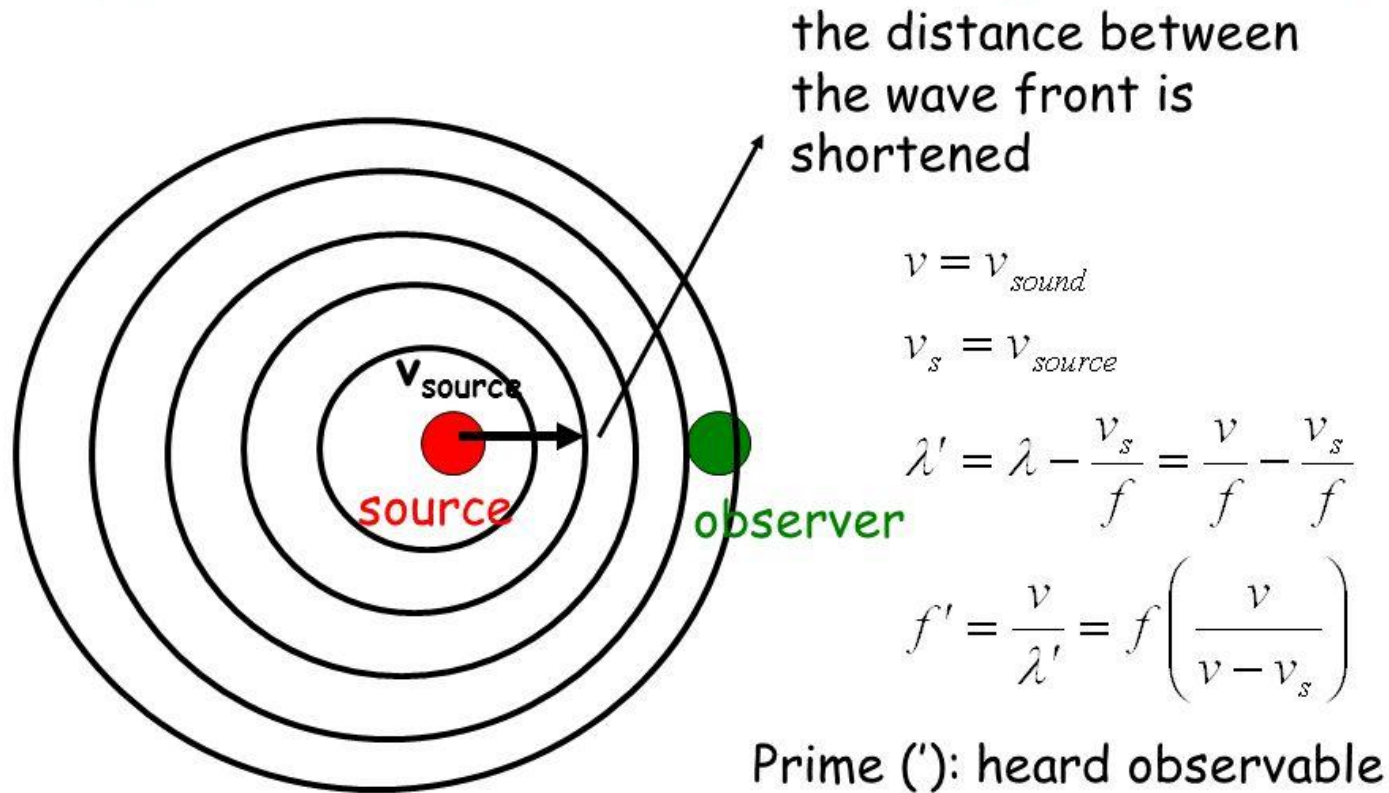
$$\omega^2 = \Omega^2(k),$$

with k the wavenumber. Then for a medium with mean [velocity vector](#) \mathbf{V} , the dispersion relationship with Doppler shift becomes:^[19]

$$(\omega - \mathbf{k} \cdot \mathbf{V})^2 = \Omega^2(k),$$

where \mathbf{k} is the wavenumber vector, related to k as: $k = |\mathbf{k}|$. The inner product $\mathbf{k} \cdot \mathbf{V}$ is equal to: $\mathbf{k} \cdot \mathbf{V} = kV \cos \alpha$, with V the length of the mean velocity vector \mathbf{V} : $V = |\mathbf{V}|$. And α the angle between the wave propagation direction and the mean flow direction. For waves and current in the same direction, $\mathbf{k} \cdot \mathbf{V} = kV$.

doppler effect: a source moving towards you



The frequency becomes larger: higher tone

.....

1. **Apparent Wave Period.** A current in the wave direction tends to stretch the wave length, while an opposing current shortens it. For the simple case of a wave propagating on a uniform in-line current, the apparent wave period seen by an observer moving with the current can be estimated from Figure 2.3.1-2, in which T is the actual wave period (as seen by a stationary observer). V_I is the current component in the wave direction, d is storm water depth (including storm surge and tide), and g is the acceleration of gravity. This figure provides estimates for $d/gT^2 > 0.01$. For smaller values of d/gT^2 , the equation $(T_{app}/T) = 1 + V_I\sqrt{gd}$ can be used. While strictly applicable only to a current that is uniform over the full water depth, Figure 2.3.1-2 provides acceptable estimates of T_{app} for “slab” current profiles that are uniform over the top 165 ft (50m) or more of the water column. For other current profiles, a system of simultaneous nonlinear equations must be solved interactively to determine T_{app} (see Commentary). The current used to determine T_{app} should be the free-stream current (not reduced by structure blockage).

COMMENTARY ON WAVE FORCES, SECTION 2.3.1

C2.3.1b1 Apparent Wave Period

Kirby and Chen (1989) developed a consistent first-order solution for the apparent wave period of a wave propagating on a current with an arbitrary profile. Their procedure requires the solution of the following three simultaneous equations for T_{app} , λ , and V_I :

$$\frac{\lambda}{T} = \frac{\lambda}{T_{app}} + V_I$$

$$T_{app}^2 = \frac{2\pi\lambda}{g \tanh(2\pi d/\lambda)}$$

$$V_I = \frac{(4\pi/\lambda)}{\sinh(4\pi d/\lambda)} \int_{-d}^0 U_c(z) \cosh \left[\frac{4\pi(z+d)}{\lambda} \right] dz$$

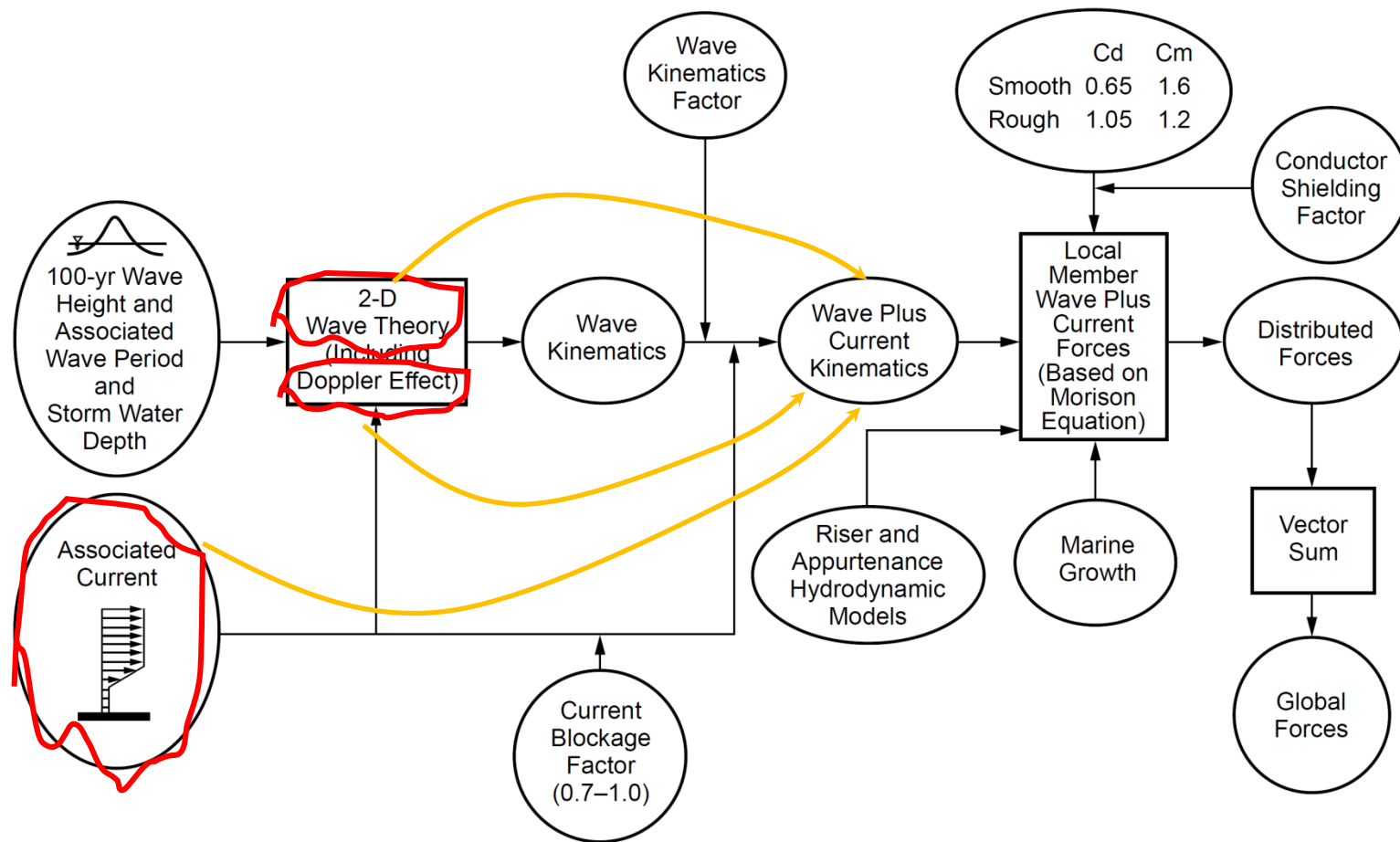
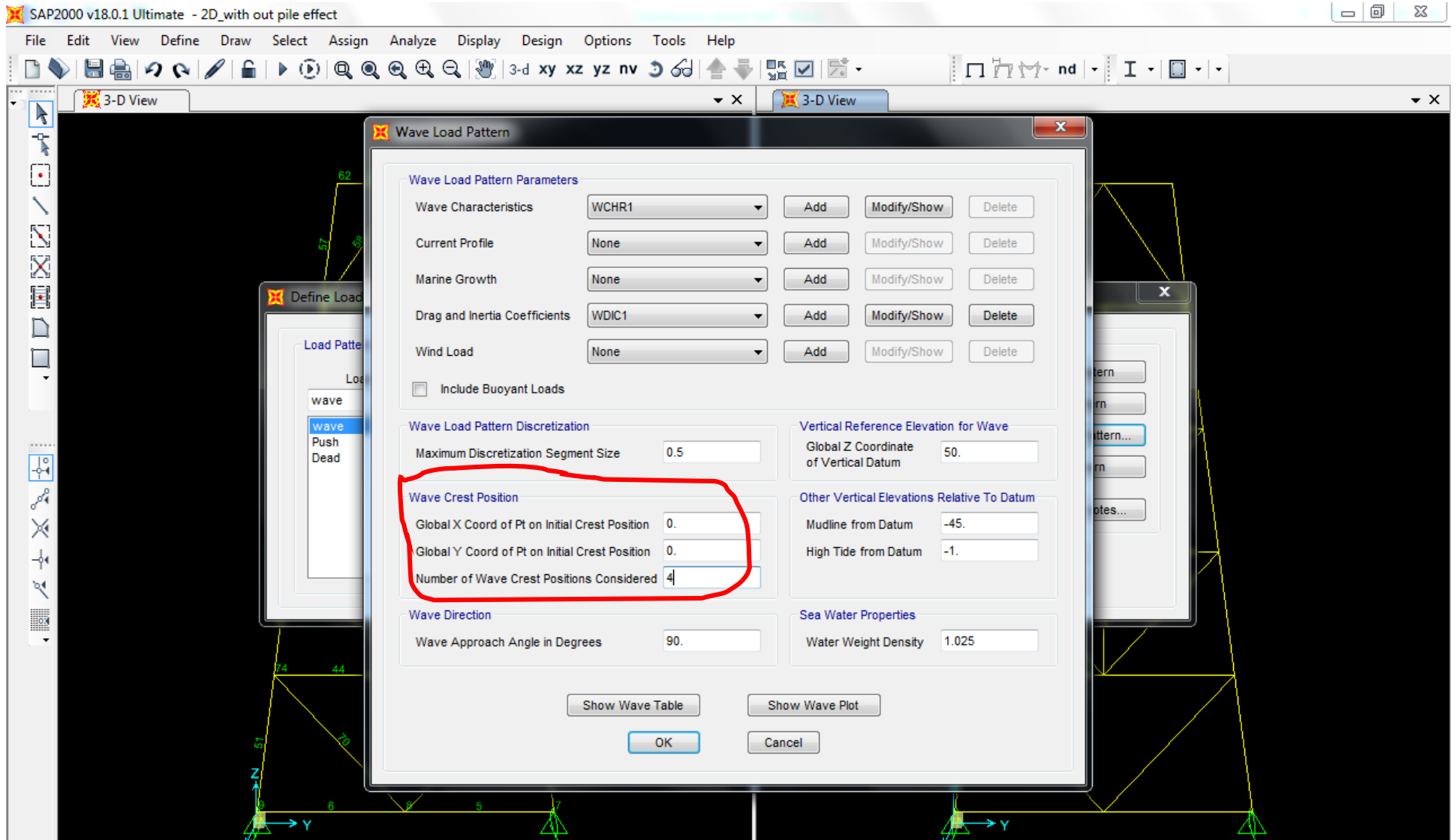
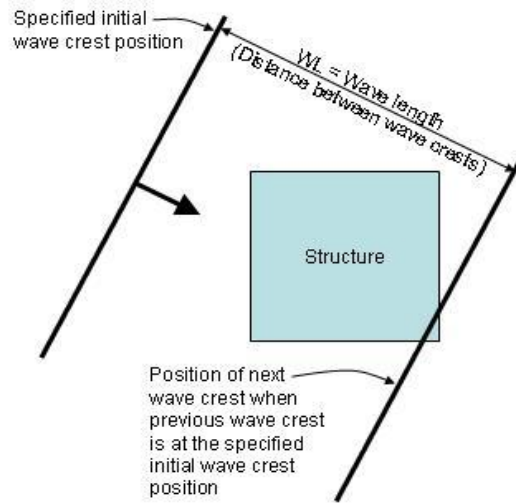
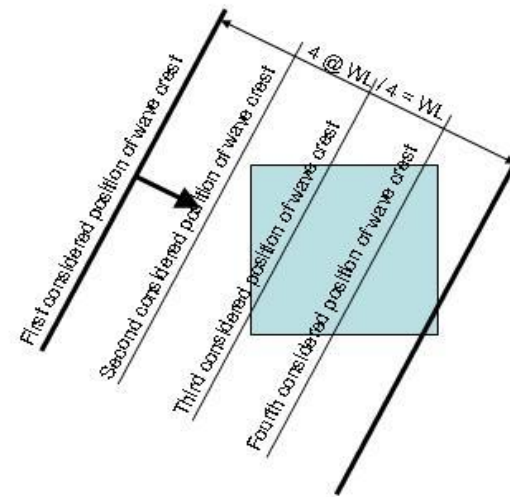


Figure 2.3.1-1—Procedure for Calculation of Wave Plus Current Forces for Static Analysis

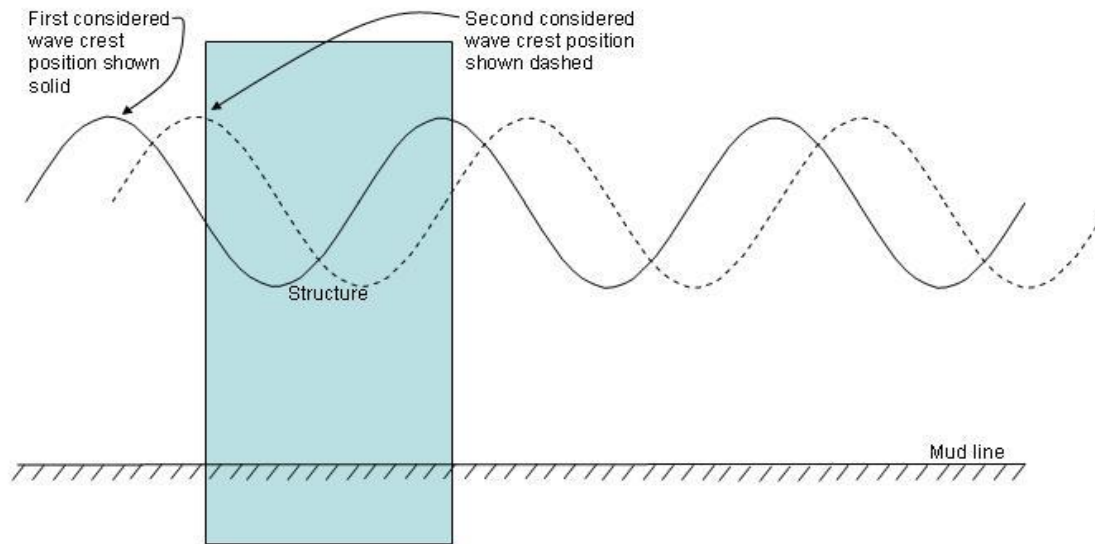




a) Initial Wave Crest Position (Plan View)



b) Considered Positions of Wave When a Total of Four Wave Crest Positions are Considered



c) Horizontal Section Cut Through Wave

Dastnameh.ir
@dastnameh

<https://telegram.me/joinchat/Bu2Bkjb1eft1G5G-Nq61tw>